

# **Chapter 4**

## **Structural Analysis and Design.**

**4.1 Introduction.**

**4.2 Factored Loads.**

**4.3 Determination of Slabs Thickness.**

**4.4 Design of topping.**

**4.5 Determination of Loads of Ribs.**

**4.6 Design of one way ribbed slab Rib (R 14).**

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**4.8 Design of one way solid slab.**

**4.9 Design of two way solid slab.**

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**4.12 Design of short column (C3).**

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**4.14 Design of shear wall ( SW13).**

**4.15 Design of basement wall .**

**4.16 Design of isolated footing (under column C13).**

#### **4.1 Introduction:**

Concrete is the only major building material that can be delivered to the job site in a plastic state. This unique quality makes concrete desirable as a building material because it can be molded to virtually any form or shape.

Concrete used in most construction work is reinforced with steel. When concrete structure members must resist extreme tensile stresses, steel supplies the necessary strength. Steel is embedded in the concrete in the form of a mesh, or roughened or twisted bars. A bond forms between the steel and the concrete, and stresses can be transferred between both components.

In This Project, there are 4 types of slabs: solid slabs one way and tow way andr rib slab one way and tow way. They would be analyzed and designed by using finite element method of design, with aid of a computer Program called " ATTIR- Software" to find the internal forces, deflections and moments for ribbed slabs.

The design strength provided by a member, its connections to other members, and its cross-sections in terms of flexure, and load, and shear is taken as the nominal strength calculated in accordance with the requirements and assumptions of ACI-code.

#### NOTE:

\*Concrete B300 ..... {  $f'_c = 24$  MPa for rectangular section }.

\*The specified yield strength of the reinforcement {  $f_y = 420$  MPa }.

## **4.2 Factored Loads:**

The structure may be exposed to different loads such as dead and live loads. The value of the load depends on the structure type and the intended use. The factored loads on which the structural analysis and design is based for our project members, is determined as follows:

$$q_u = 1.2DL + 1.6L \qquad \text{ACI - 318 - 14 (9.2.1)}$$

## **4.3 Determination of Slabs Thickness.**

**4.3.1- Determination of Thickness of The Two-Way solid Slab.** Take the critical panel shown below:

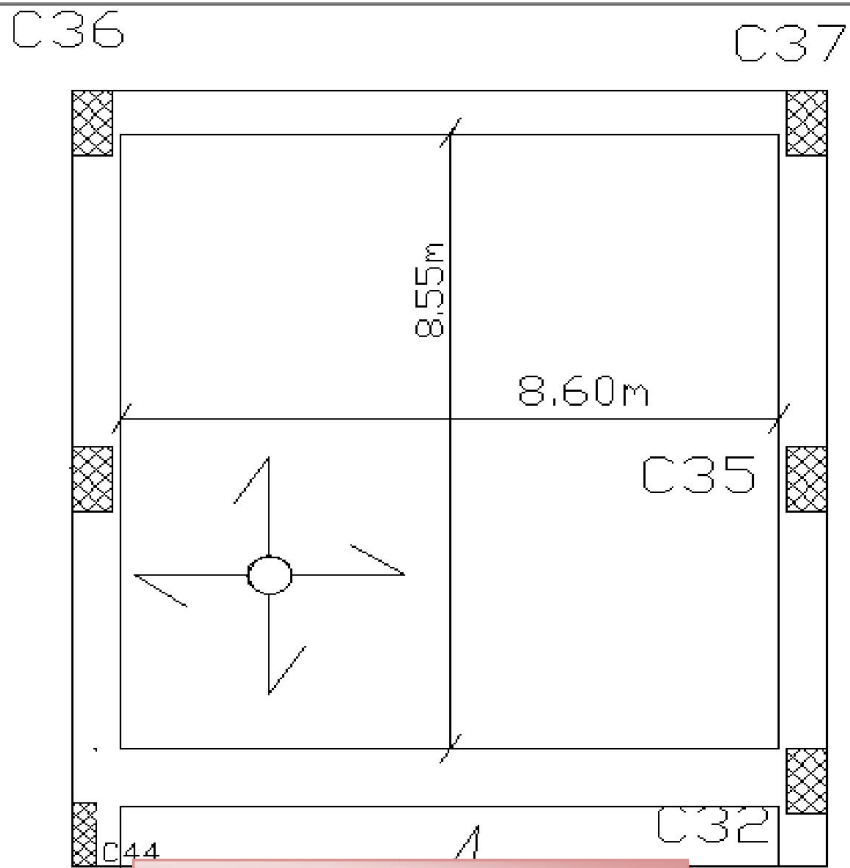


Figure (4-1 ) Two way solid Slab.

**Let h for beam= 60 cm**

$$h_{min} = \frac{(2*8.6)+(2*8.55)}{180} = 0.19 \text{ m}$$

**take h= 20 cm.**

**For exterior beam ( L section beam)**

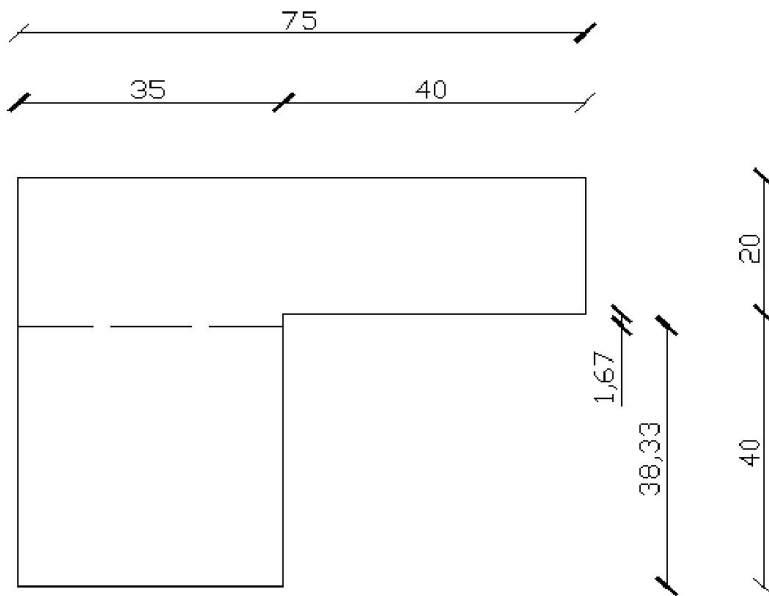


Figure (4-2 ) exterior beam (L-section).

$$\bar{Y}_{beam} = \frac{\Sigma AY}{\Sigma A} = \frac{(35 \times 60 \times 30) + (75 \times 20 \times 50)}{(35 \times 60) + (75 \times 20)} = 38.33 \text{ cm}$$

$$I_{beam} = \frac{35(38.33)^3}{3} - \frac{40 \times (1.67)^3}{3} + \frac{75 \times (21.67)^3}{3}$$

$$I_{beam} = 911334.4 \text{ cm}^4/b$$

**For interior beam ( T section beam)**

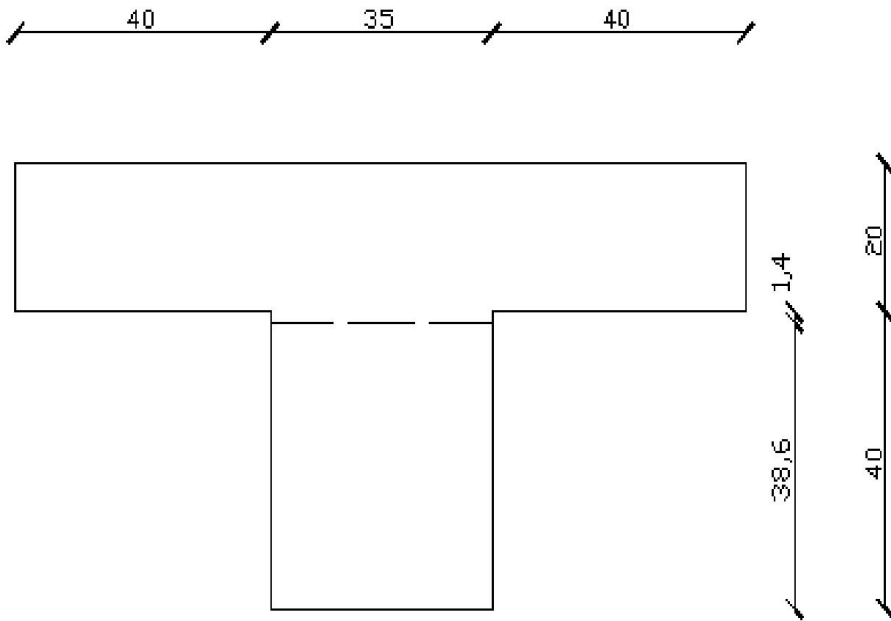


Figure (4-3 ) interior beam (T-section).

$$\bar{Y}_{beam} = \frac{\Sigma AY}{\Sigma A} = \frac{(35 \times 40 \times 20) + (115 \times 20 \times 50)}{(35 \times 40) + (115 \times 20)} = 38.6 \text{ cm}$$

$$I_{beam} = \frac{35(38.6)^3}{3} - \frac{2 \times 40 \times (1.4)^3}{3} + \frac{115 \times (21.4)^3}{3}$$

$$I_{beam} = 1046585.33 \text{ cm}^4/b$$

**For the slab :**

$$I_s = \frac{1}{12}bh^3$$

$$b_1 = 35 + 430 = 465 \text{ cm}$$

$$I_{s1} = \frac{465 \times 20^3}{12} = 310000 \text{ cm}^4$$

$$\alpha_1 = \frac{I_{b1}}{I_{s1}} = \frac{911334.4}{310000} = 2.93$$

$$b_2 = 35 + 427.5 = 462.5 \text{ cm}$$

$$I_{s2} = \frac{462.5 \times 20^3}{12} = 308333.3 \text{ cm}^4$$

$$\alpha_2 = \frac{I_{b2}}{I_{s2}} = \frac{911334.4}{308333.3} = 2.95$$

$$b_3 = 35 + 430 = 465 \text{ cm}$$

$$I_{s3} = \frac{465 \times 20^3}{12} = 310000 \text{ cm}^4$$

$$\alpha_3 = \frac{I_{b3}}{I_{s3}} = \frac{911334.4}{310000} = 2.93$$

$$b_4 = 35 + 210 + 427.5 = 672.5 \text{ cm}$$

$$I_{s4} = \frac{672.5 \times 20^3}{12} = 310000 \text{ cm}^4$$

$$\alpha_4 = \frac{I_{b4}}{I_{s4}} = \frac{1046585.33}{448333.3} = 2.33$$

$$\alpha_{fm} = \frac{\Sigma \alpha_n}{4} = 2.785 > 2$$

$$\beta = \frac{\text{large clear span}}{\text{short clear span}}$$

$$\beta = \frac{8.6}{8.55} = 1.005$$

$$h = \frac{l_n(0.8 + f_y \setminus 1400)}{36 + 9\beta} \text{ \& not less than 90 mm.}$$

$$h_m = \frac{8600(0.8 + 420 \setminus 1400)}{36 + 9(1.005)} = 210 \text{ mm} > 90 \text{ mm.}$$

**Take  $h = 25 \text{ cm} > h_m = 21 \text{ cm}$ .**

### 4.3.2- Determination of thickness for The One-Way solid slab.

#### Group A :

*$h_m$  both end continous*

$$h > \frac{L}{28} = \frac{640}{28} = 22.8 \text{ c m} - \text{control} .$$

#### Group B :

*$h_m$  one end continous*

$$h > \frac{L}{24} = \frac{470}{24} = 19.5 \text{ cm}$$

*$h_m$  both end continous*

$$h > \frac{L}{28} = \frac{470}{28} = 16.8 \text{ cm}$$

*$h_m$  cantaliver*



$$h > \frac{L}{10} = \frac{190}{10} = 19 \text{ cm}$$

Take  $h = 25 \text{ cm} > h_m = 22.8 \text{ cm}$ .

**4.3.3- Determination of Thickness of The Two-Way ribbed Slab.**

Take the critical panel shown below:

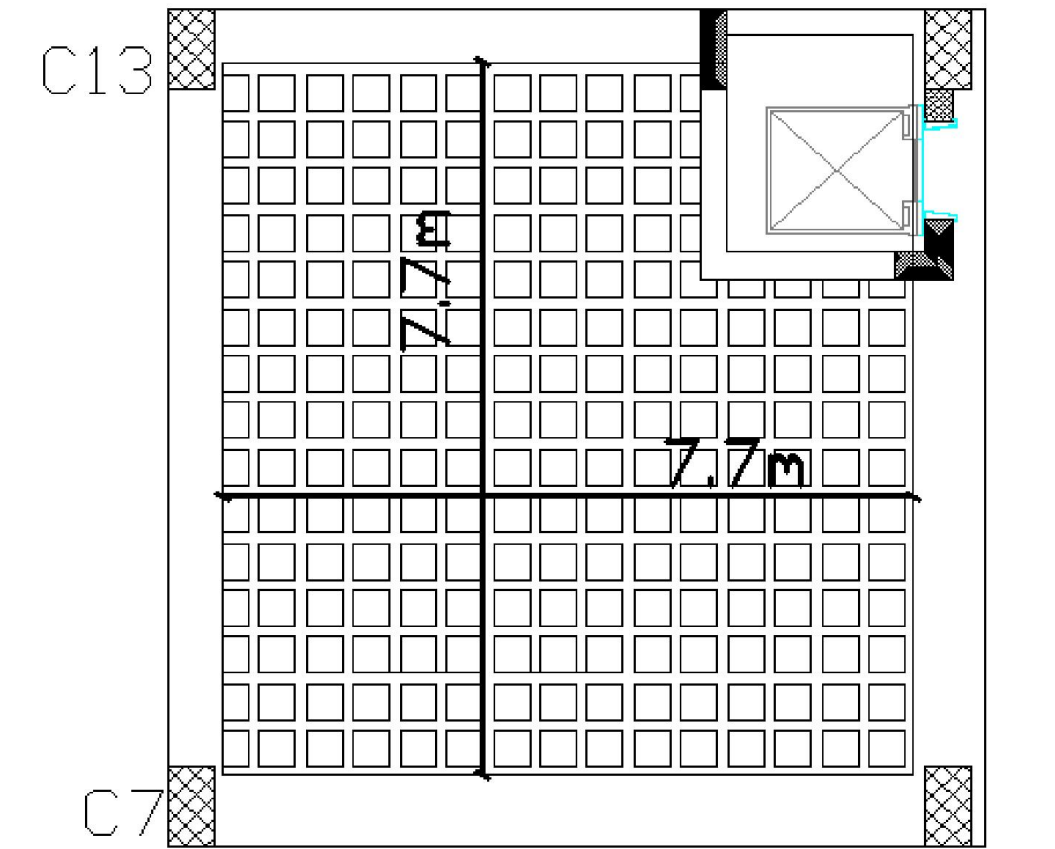


Figure (4-4) two way ribbed slab .

**For beams**

$$I_{b1,3} = \frac{1}{12}bh^3 = \frac{1}{12} \times 60 \times 60^3 = 1080000 \text{ cm}^4$$

$$I_{b2,4} = \frac{1}{12}bh^3 = \frac{1}{12} \times 80 \times 60^3 = 1440000 \text{ cm}^4$$

**For ribbes**

Let h for slab = 32 cm

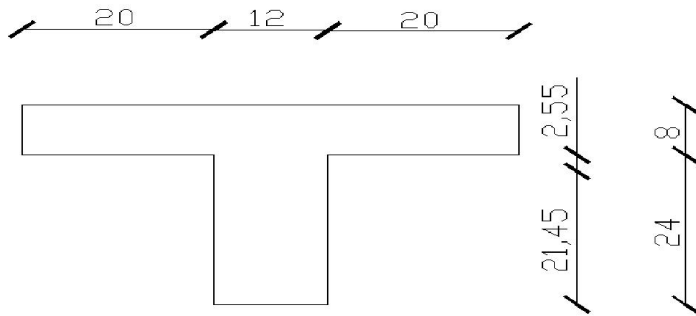


Figure (4-5 ) section of ribb.

$$\bar{Y}_{ribb} = \frac{\Sigma AY}{\Sigma A} = \frac{(40 \times 8 \times 4) + (32 \times 12 \times 16)}{(40 \times 8) + (32 \times 12)} = 10.55 \text{ cm}$$

$$I_{ribb} = \frac{52(10.55)^3}{3} - \frac{2 \times 20 \times (2.55)^3}{3} + \frac{12 \times (21.45)^3}{3}$$

$$I_{ribb} = 59609 \text{ cm}^4/\text{ribb}$$

$$b_1 = 60 + 385 = 455 \text{ cm}$$

$$I_{s1} = 59609 \times \frac{455}{52} = 510115.48 \text{ cm}^4$$

$$\alpha_1 = \frac{I_{b1}}{I_{s1}} = \frac{1080000}{510115.48} = 2.11$$

$$b_2 = \left(\frac{770}{2}\right) + 80 + \left(\frac{770}{2}\right) = 850 \text{ cm}$$

$$I_{s2} = 59609 \times \frac{850}{52} = 974377.88 \text{ cm}^4$$

$$\alpha_2 = \frac{I_{b2}}{I_{s2}} = \frac{1440000}{974377.88} = 1.47$$

$$b_3 = 60 + 385 = 445 \text{ cm}$$

$$I_{s3} = 59609 \times \frac{445}{52} = 510115.48 \text{ cm}^4$$

$$\alpha_3 = \frac{I_{b3}}{I_{s3}} = \frac{1080000}{510115.45} = 2.11$$

$$b_4 = \left(\frac{770}{2}\right) + 80 + \left(\frac{380}{2}\right) = 630 \text{ cm}$$

$$I_{s4} = 59609 \times \frac{630}{52} = 750844.13 \text{ cm}^4$$

$$\alpha_4 = \frac{I_{b4}}{I_{s4}} = \frac{1440000}{750844.13} = 1.91$$

$$\alpha_{fm} = \frac{\Sigma \alpha_n}{4} = 1.91$$

$$2 > \alpha_{fm} > 0.2$$

$$h_m = \frac{l_n(0.8 + fy \setminus 1400)}{36 + 5\beta(\alpha_{fm} - 0.2)} \text{ \& Not Less Than 125 mm.}$$

$$\beta = \frac{\text{large clear span}}{\text{short clear span}}$$

$$\beta = \frac{7.7}{7.7} = 1$$

$$h_m = \frac{7700(0.8 + 420 \setminus 1400)}{36 + 5(1)(1.91 - 0.2)} = 190.3 \text{ mm} > 125 \text{ mm.}$$

$$190.3 \text{ mm} < 320 \text{ mm} .$$

**So Select h = 32 cm**

**h = 32 cm (24 \cm Hollow block + 8cm Toppin )**

#### 4.3.4 - Determination of thickness for The One-Way ribbed slab.

\*  $h_m$  one end continuous

$$h > \frac{L}{18.5} = \frac{500}{18.5} = 27.2 \text{ cm}$$

\*  $h_m$  both end continuous

$$h > \frac{L}{21} = \frac{640}{21} = 30.47 \text{ cm} - \text{control}$$

$$h_m = 30.47 \text{ cm} < 32 \text{ cm}.$$

**So Select  $h = 32 \text{ cm}$ .**

**$h = 32 \text{ cm}$  (24 \cm Hollow block + 8cm Toppin )**

#### 4.4 Design of Topping:

Table (4 – 1) Calculation of the total dead load on topping:

No.	Material	Calculation
1	Tile	$0.03 * 24.5 * 1 = 0.735 \text{ KN/m}$
2	mortar	$0.03 * 22 * 1 = 0.66 \text{ KN/m}$
3	Coarse sand	$0.15 * 17 * 1 = 2.55 \text{ KN/m}$
4	topping	$0.08 * 24.5 * 1 = 1.96 \text{ KN/m}$
5	Interior partitions	$1.25 * 1 = 1.25 \text{ KN/m}$
<b>Sum</b>		<b>7.155 KN/m</b>

Live load =  $2.4 * 1 \text{ KN/m}$

$W_u = 1.2DL + 1.6L = (1.2 * 7.155) + (1.6 * 2.4) = 12.42 \text{ KN/m}$ . (Total Factored load)

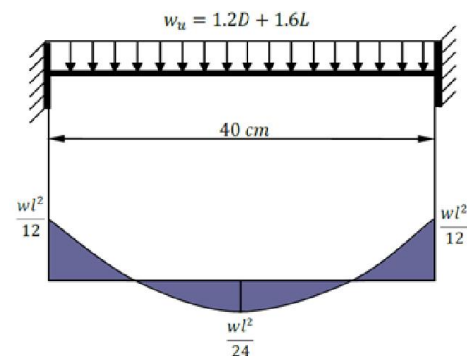
Assume slab fixed at supported points (ribs):

$$M_u = \frac{W_u * l^2}{12}$$

$$= \frac{12.42 * 0.4^2}{12} = 0.165 \text{ KN.m/m of strip width .}$$

$(\Phi M)_n > M_u$  [Strength Condition, where  $\Phi = 0.55$ ] for plane concrete

$$M_n = 0.42 * \sqrt{f_c'} * S_m \text{ ACI-318-14 (22-5.1)}$$



$$S_m = \frac{b * h^2}{6} = \frac{1000 * 80^2}{6} = 1066666.67 \text{ mm}^3$$

$$M_n = 0.42 \times \sqrt{24} * 1066666.67 = 2.194 \text{ KN.m}$$

$$\Phi M_n = 0.55 * 2.194 = 1.2 \text{ KN.m}$$

$$\Phi M_n = 1.2 \text{ KN.m} > M_u = 0.165 \text{ KN.m}$$

**No reinforcement required** by analysis. According to ACI 10.5.4, provide

$A_{(s,min)}$  for slabs as shrinkage and temperature reinforcement.

According to ACI 7.12.2.1,  $\rho_{shrinkage} = 0.0018$

$$A_{s_{min}} = \rho * b * h = 0.0018 * 1000 * 80 = 144 \text{ mm}^2 / 1 \text{ m}$$

Try bars  $\Phi 8$  with  $A_s = 50.27 \text{ mm}^2$

$$\text{No. of } \Phi 8 = \frac{A_{s_{req}}}{A_{bar}} = \frac{144}{50.26} = 2.86 \rightarrow \text{Spacing}(S) = \frac{1}{2.86} = 0.348 \text{ m} = 348 \text{ mm}$$

$$\leq 380 \left( \frac{280}{f_s} \right) - 2.5 * C_c \leq 300 \left( \frac{280}{f_s} \right)$$

$$S = 380 * \left( \frac{280}{\frac{2}{3} * 420} \right) - 2.5 * 20 = 330 \text{ mm}$$

$$S = 300 * \left( \frac{280}{\frac{2}{3} * 420} \right) = 300 \text{ mm}$$

Not more than:  $S_{max} = 450 \text{ mm}$

**Use  $\Phi 8 / 20 \text{ cm}$ , with  $A_{s_{provided}} = 251 \text{ mm}^2 / 1 \text{ m}$  both directions.**

**4.5 Determination of Loads of Ribs:**

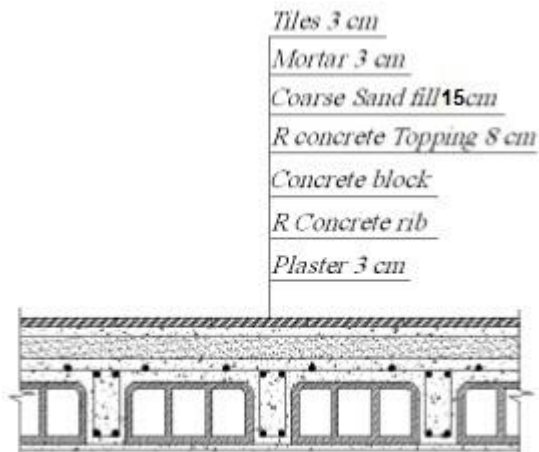


Figure 4.7-Typical Section in Ribbed slab.

For the one-way ribbed slabs, the total dead load to be used in the analysis and design is calculated as follows:

Table (4 – 2) Calculation of the total dead load for one way rib slab.

No.	Parts of Rib	Calculation
1	Tile	$24.5 * 0.03 * 0.52 = 0.382 \text{ KN/m}$
2	mortar	$0.343 \text{ KN/m} = 22 * 0.03 * 0.52$
3	Coarse sand	$17 * 0.15 * 0.52 = 1.326 \text{ KN/m}$
4	topping	$24.5 * 0.08 * 0.52 = 1.02 \text{ KN/m}$
5	RC rib	$24.5 * 0.24 * 0.12 = 0.705 \text{ KN/m}$
6	Hollow block	$9 * 0.24 * 0.4 = 0.864 \text{ KN/m}$
7	plaster	$22 * 0.02 * 0.52 = 0.228 \text{ KN/m}$
8	Interior partitions	$1.25 * 0.52 = 0.65 \text{ KN/m}$
<b>Sum</b>		<b>5.52 KN/m</b>

Nominal Total Live Load:

Live load =  $2.4 * 0.52 = 1.248$  KN/m of rib

Factored dead Load =  $1.2 * 5.52 = 6.624$  KN/m

Factored live Load =  $1.6 * 1.248 = 1.99$  KN/m

**4.6 Design of Rib R(14) :**

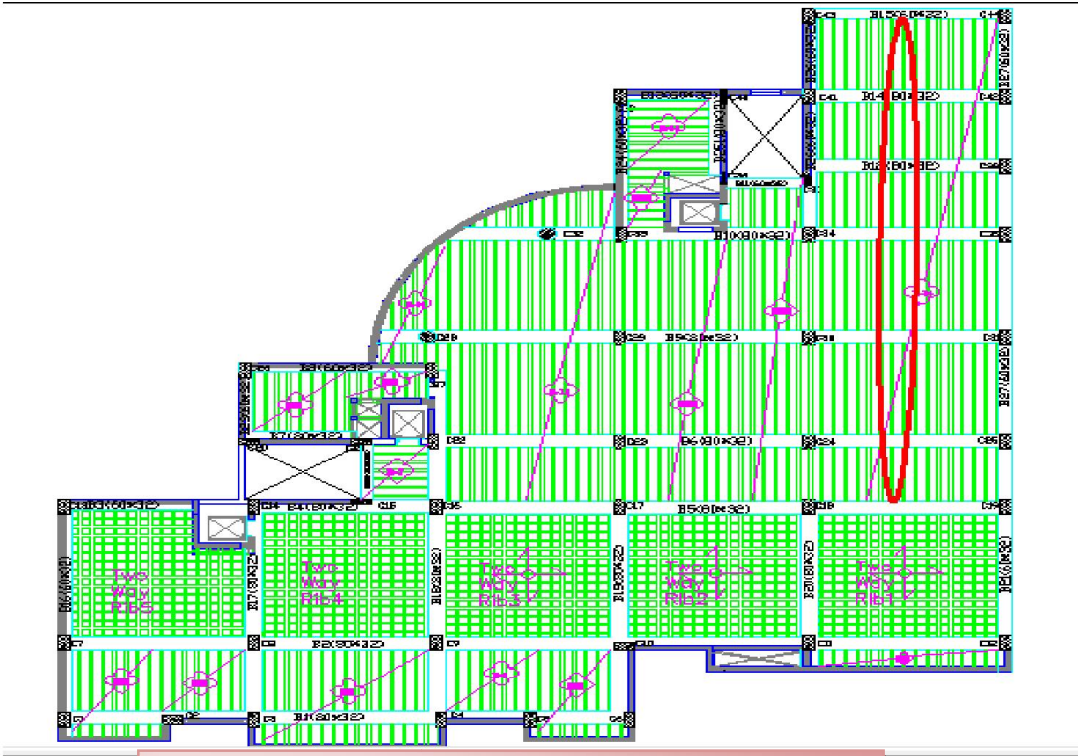


Figure 4.8 Rib 14.

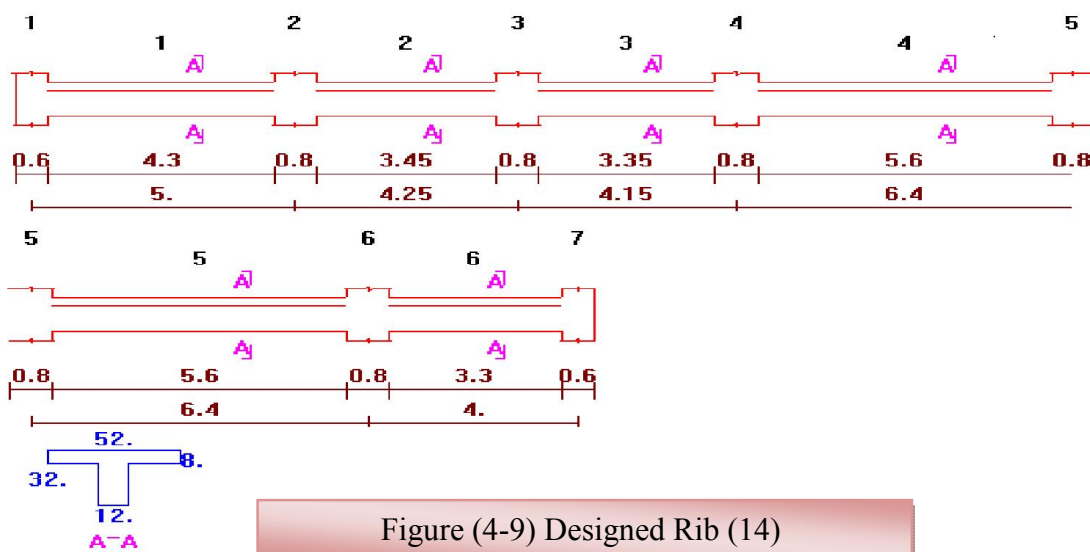


Figure (4-9) Designed Rib (14)



### 4.6.1 Introduction

The envelope for both shear and moment diagrams drawn using ATIR program as shown below:

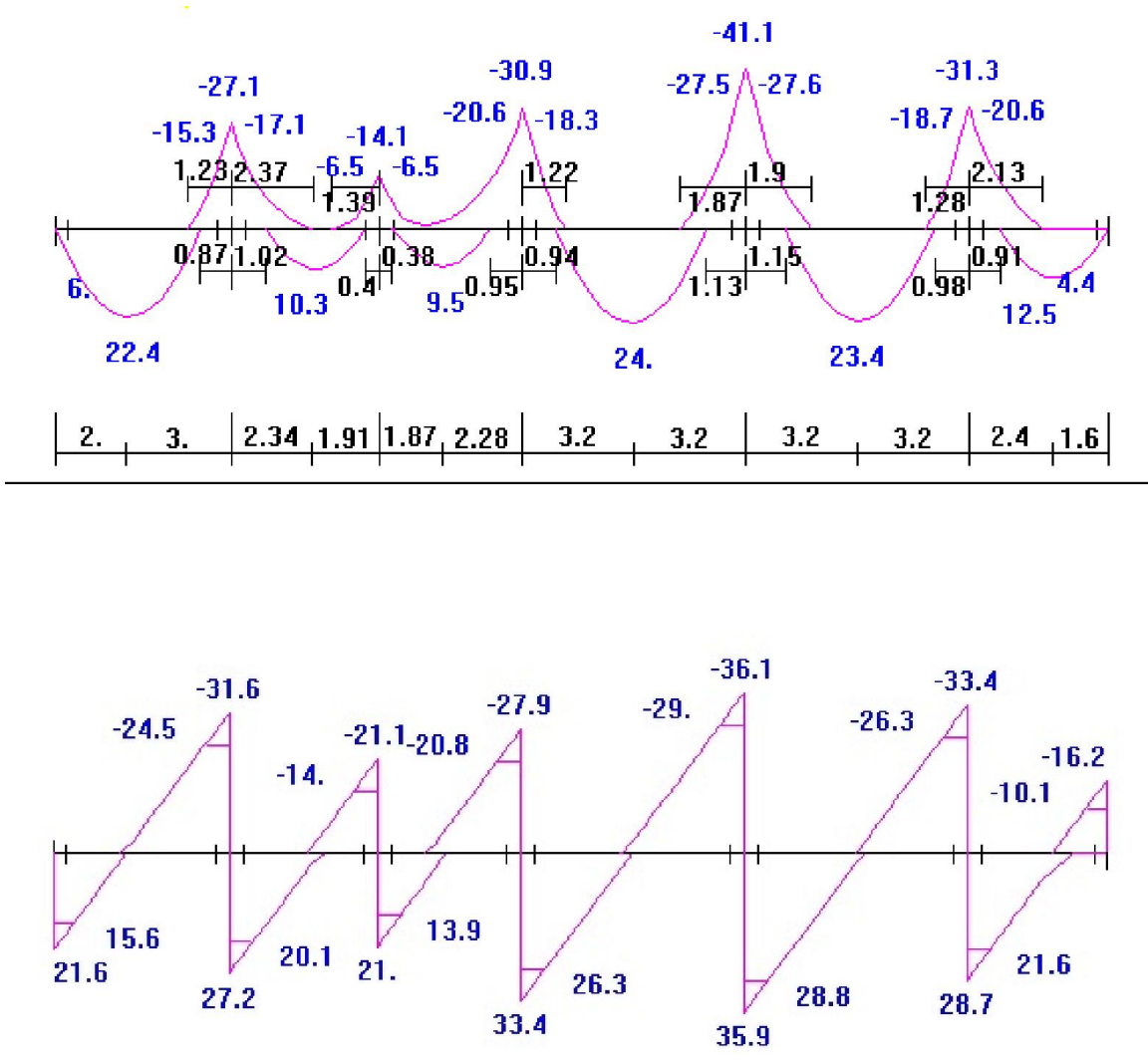


Figure (4-10) shear and moments diagrams for Rib (R14)

**4.6.2 Design of Positive Moment of Rib (R14)  $M_u \text{ max} = 24 \text{ KN.m}$** 

$$d = 320 - 20 - 8 - 6 = 286 \text{ mm}$$

$$d = 286 \text{ mm}$$

$$f_c' \leq 28 \rightarrow \beta = 0.85$$

**Design of  $+M_{U \text{ MAX}} = 24 \text{ KN.m}$**

$$Rn = \frac{M_u / \Phi}{b \times d^2}$$

$$Rn = \frac{24 \times 10^{-3} / 0.9}{0.52 \times (0.286)^2} = 0.6269 \text{ MPa}$$

$$\rho_{req} = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mRn}{f_y}} \right)$$

$$m = \frac{f_y}{0.85 \times f_c'}$$

$$m = \frac{420}{0.85 \times 24} = 20.6$$

$$\rho_{req} = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 0.6269}{420}} \right) = 0.0015$$

$$A_{s_{req}} = \rho \times b \times d$$

$$A_{s_{req}} = 0.0015 \times 520 \times 286 = 223.08 \text{ mm}^2$$

**Check for  $A_{s_{min}}$**

$$A_{s_{min}} = 0.25 \frac{\sqrt{f_c'} \times b_w \times d}{f_y}$$

$$A_{s_{min}} = 0.25 \frac{\sqrt{24} \times 120 \times 286}{420} = 100.08 \text{ mm}^2$$

Not less than

$$A_{s_{min}} = \frac{1.4 \times 120 \times 286}{420} = 114.4 \text{ mm}^2 \Rightarrow \text{Controls}$$

$$A_{s_{req}} = 223.08 \text{ mm}^2 > A_{s_{min}} = 114.4 \text{ mm}^2$$

$$\text{select } 2\Phi 12 = 226.2 \text{ mm}^2 > A_{s_{req}} = 223.08 \text{ mm}^2$$

According to Atir Program the limitation of deflection is satisfied and so, no additional reinforcement is required.

### **-Check of Strain**

Tension=Compression

T=C

$$f_y \times A_s = 0.85 \times f_c' \times b \times a$$

$$420 \times 226.2 = 0.85 \times 24 \times 520 \times a$$

$$a = 8.95 \text{ mm}$$

$$c = \frac{a}{0.85} = 10.53 \text{ mm}$$

$$\frac{\epsilon_s}{d - c} = \frac{0.003}{c}$$

$$\epsilon_s = \frac{268 - 10.53}{10.53} \times 0.003$$

$$\epsilon_s = 0.073 > 0.005$$

Design of other spans :

*select 2φ12 with  $A_s = 226.2 \text{ m} > A_{s \text{ req.}}$*

### **4.6.3 Design of Negative Moment of Rib (R14) $-MU_{MAX} = 27.6 \text{ KN.m}$**

The design of the negative moment for the T-section is made as a rectangular section with  $b = b_w$ .

**Design of**  $-MU_{MAX} = 27.6 \text{ KN}\cdot\text{m}$

$$Rn = \frac{M_u / \phi}{b \times d^2}$$

$$Rn = \frac{27.6 \times 10^{-3} / 0.9}{0.12 \times (0.286)^2} = 3.124 \text{ MPa}$$

$$\rho_{req} = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mRn}{f_y}} \right)$$

$$m = \frac{f_y}{0.85 \times f_c'}$$

$$m = \frac{420}{0.85 \times 24} = 20.6$$

$$\rho_{req} = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 3.124}{420}} \right) = 0.0081$$

$$As_{req} = \rho \times b \times d$$

$$As_{req} = 0.0081 \times 120 \times 286 = 278.59 \text{ mm}^2$$

**Check for  $As_{min}$**

$$As_{min} = 0.25 \frac{\sqrt{f_c'} \times b_w \times d}{f_y}$$

$$As_{min} = 0.25 \frac{\sqrt{24} \times 120 \times 286}{420} = 100.08 \text{ mm}^2$$

Not less than

$$As_{min} = \frac{1.4 \times 120 \times 286}{420} = 114.4 \text{ mm}^2 \Rightarrow \text{Controls}$$

$$As_{req} = 278.59 \text{ mm}^2 > As_{min} = 114.4 \text{ mm}^2$$

$$\text{selectAs } 2\Phi 14 = 307.87 \text{ mm}^2 > As_{req} = 278.59 \text{ mm}^2$$

According to Atir Program the limitation of deflection is satisfied and so, no additional reinforcement is required.

**-Check of Strain**

Tension=Compression

T=C

$$f_y \times A_s = 0.85 \times f_c' \times b \times a$$

$$420 \times 307.87 = 0.85 \times 24 \times 120 \times a$$

$$a = 52.82 \text{ mm}$$

$$c = \frac{a}{0.85} = 62.14 \text{ mm}$$

$$\frac{\epsilon_s}{d - c} = \frac{0.003}{c}$$

$$\epsilon_s = \frac{286 - 62.14}{62.14} \times 0.003$$

$$\epsilon_s = 0.01 > 0.005$$

Design of other spans :

*select 2 $\phi$ 14 with  $A_s = 307.78 \text{ mm}^2 > A_s \text{ req.}$*

**4.6.4 Design of Shear of Rib (R14)  $V_{u \text{ max}} = 29 \text{ kN.}$**

**Design of Shear of Rib for the mid Span :**

$$V_{u \text{ max}} = 29 \text{ kN.}$$

$$\Phi V_c = \Phi \frac{1}{6} \sqrt{f_c'} b w \times d$$

$$\Phi V_c = \frac{0.75}{6} \times \sqrt{24} \times 120 \times 286 = 21.01 \text{ kN}$$

$$\Phi V_{s_{min}} = \Phi \frac{1}{3} \times bw \times d$$

$$\Phi V_{s_{min}} = 0.75 \times \frac{1}{3} \times 120 \times 286 = 7.58 \text{ kN}$$

$$\Phi V_{s_{min}} = \frac{\Phi}{16} \sqrt{24} \times 120 \times 286 = 7.88 \text{ kN} \Rightarrow \Rightarrow \text{Control}$$

$$\Phi V_c + \Phi V_{s_{min}} < V_u < \Phi V_c + \frac{\Phi}{3} \sqrt{f_c'} bw \times d$$

$$21.01 + 7.88 < 29 < 21.01 + \frac{0.75}{3} \sqrt{24} \times 120 \times 286$$

$$28.89 < 29 < 63.04$$

*Category No. 4 Is Satisfied*

$$V_s = \frac{V_u}{\Phi} - V_c$$

$$V_s = \frac{29}{0.75} - 28.01 = 10.65 \text{ kN}$$

$$\left(\frac{A_v}{s}\right)_{min} = \frac{bw}{3 \times f_y} = \frac{120}{3 \times 420} = 0.095 \times 10^{-3}$$

$$\geq \frac{bw \times \sqrt{f_c'}}{16 \times f_y} = \frac{120 \times \sqrt{24}}{16 \times 420} = 0.087 \times 10^{-3}$$

$$\frac{A_v}{s} = \frac{V_s}{d \times f_y} = \frac{0.0106}{420 \times 0.286} = 0.08866 \times 10^{-3}$$

$$\frac{A_v}{s} = \frac{2 \times 50 \times 10^{-6}}{s} = 0.08866 \times 10^{-3}$$

$$s = 112 \text{ cm}$$

$$s \leq \frac{d}{2} = \frac{286}{2} = 143 \text{ cm}$$

$s \leq 60 \text{ cm}$ , select  $s = 15 \text{ cm} \Rightarrow$  Use  $\Phi 8$  – Stirrup at 15cm.

### 4.7 Design of two way ribbed slab (R05)

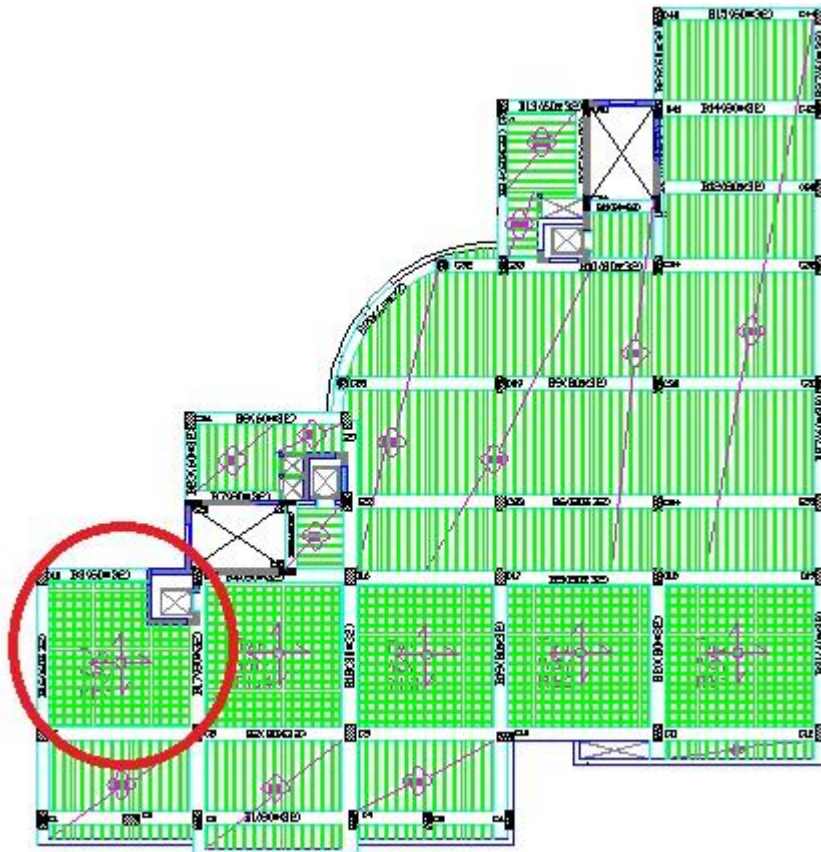


Figure 4.11 Rib 05.

#### 4.7.1 Load calculation:

For the two-way ribbed slabs, the total dead load to be used in the analysis and design is calculated as follows:

Table (4-3) Calculation of the total dead load for two way rib slab (25).

Material	Quality Density ( $KN/m^3$ )	$W = \gamma * V$ ( $KN$ )
Tiles	24.5	$24.5 \times 0.03 \times 0.52 \times 0.52 = 0.199$
Mortar	22	$22 \times 0.03 \times 0.52 \times 0.52 = 0.179$
Sand	17	$17 \times 0.15 \times 0.52 \times 0.52 = 0.69$
Topping	24.5	$24.5 \times 0.08 \times 0.52 \times 0.52 = 0.53$
Concrete Rib	24.5	$24.5 \times 0.24 \times 0.12 \times (0.52+0.40) = 0.649$
Hollow block	9	$9 \times 0.24 \times 0.4 \times 0.4 = 0.3456$
Plaster	22	$22 \times 0.02 \times 0.52 \times 0.52 = 0.119$
Partition = $1.5 KN/m^2$		$1.5 \times 0.52 \times 0.52 = 0.405$
Total Dead load, $KN$		3.1166

Dead Load of slab:

$$DL = \frac{3.1166}{0.52 * 0.52} = 11.526 \text{ KN/m}^2$$

$$w_D = 1.2 * 11.526 = 13.83 \text{ KN/m}^2$$

$$LL = 2.4 \text{ KN/m}^2$$

$$w_L = 1.6 * 2.4 = 3.84 \text{ KN/m}^2$$

$$w = 13.83 + 3.84 = 17.67 \text{ KN/m}^2$$

#### 4.7.2 Moments calculations:

$$m = l_a/l_b = 7.7/7.7 = 1 \text{ with case 4.}$$

$$M_a = C_a w l_a^2 b f \text{ and } M_b = C_b w l_b^2 b f$$



**-Negative moment**

$$C_{a,neg} = 0.05$$

$$C_{b,neg} = 0.05$$

$$M_{a,neg} = (0.05 * 17.67 * 7.7^2) * 0.52 = 27.24 \text{ KN.m}$$

$$M_{b,neg} = (0.05 * 17.67 * 7.7^2) * 0.52 = 27.24 \text{ KN.m}$$

**-Positive moment**

$$C_{aD,pos} = 0.027$$

$$C_{bD,pos} = 0.027$$

$$C_{aL,pos} = 0.032$$

$$C_{bL,pos} = 0.032$$

$$M_{a,pos,(dl+ll)} = (0.027 * 13.83 * 7.7^2 + 0.032 * 3.84 * 7.7^2) * 0.52$$

$$= 29.425 \text{ KN.m}$$

$$M_{b,pos,(dl+ll)} = (0.027 * 13.83 * 7.7^2 + 0.032 * 3.84 * 7.7^2) * 0.52$$

$$= 29.425 \text{ KN.m}$$

- **Short direction or long , It is the same:**

- **Mid span (  $M_u = + 29.425 \text{ KN.m}$  )**

$$bf = 520 \text{ mm}$$

Assume bar diameter  $\phi 14$  for main positive reinforcement.

$$d = h - cover - dstirrups - \frac{d_b}{2} = 320 - 20 - 10 - \frac{14}{2} = 283 \text{ mm.}$$

$$R_n = \frac{M_u}{\phi b d^2} = \frac{29.425 \times 10^6}{0.9 \times 520 \times 283^2} = 0.785 \text{ MPa}$$

$$m = \frac{f_y}{0.85 f_c'} = \frac{420}{0.85 \times 24} = 20.6$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2 \cdot m \cdot R_n}{420}} \right) = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 0.785}{420}} \right) = 0.0019$$

$$A_s = \rho \cdot b \cdot d = 0.0019 \times 520 \times 283 = 280.57 \text{ mm}^2$$

- Check for  $A_s, \min$ .

$$A_s, \min = 0.25 \frac{\sqrt{f_c'}}{f_y} b_w * d \geq \frac{1.4}{f_y} b_w * d$$

$$A_s, \min = 0.25 * \frac{\sqrt{24}}{420} * 120 \times 283 = 99.03 \text{ mm}^2$$

$$A_s, \min = \frac{1.4}{420} * 120 \times 283 = 113.2 \text{ mm}^2 \dots \textbf{Control.}$$

- $A_s, \text{required} = 280.57 \text{ mm}^2 > A_s, \min = 113.2 \text{ mm}^2$  (OK)

Use 2Ø14, bottom with  $A_s = 308 \text{ mm}^2 > A_s, \text{required} = 280.57 \text{ mm}^2$

#### Check for strain: ( $\epsilon_s \geq 0.005$ )

Tension = Compression

$$A_s * f_y = 0.85 * f_c' * b * a$$

$$308 * 420 = 0.85 * 24 * 520 * a$$

$$a = 12.19 \text{ mm}$$

$$x = \frac{a}{\beta_1} = \frac{12.19}{0.85} = 14.346 \text{ mm}$$

$$\epsilon_s = 0.003 * \left( \frac{d - x}{x} \right)$$

$$= 0.003 * \left( \frac{283-14.346}{14.346} \right) = 0.056 > 0.005 \quad \therefore \phi = 0.9 \dots OK.$$

### Design for Discontinuous edge 4.7.3

$$A_s = \frac{1}{3} A_{s,pos} = \frac{1}{3} * 308 \text{ mm}^2 = 102.67 \text{ mm}^2 < A_{s,min}$$
$$= 113.2 \text{ mm}^2$$

Provide  $A_{s,min} = 113.2 \text{ mm}^2$

$$n = \frac{A_s}{A_s \phi 10} = \frac{113.2}{78.54} = 1.44$$

Use 2Ø 10 , Top .. with  $A_s = 157.08 \text{ mm}^2$

### 4.7.4 Design for continuous edge ( $M_u = - 27.24 \text{ KN.m}$ )

$$bw = 120 \text{ mm}$$

$$d = h - cover - dstirrups - \frac{d_b}{2} = 320 - 20 - 10 - \frac{14}{2} = 283 \text{ mm.}$$

$$R_n = \frac{M_u}{\phi b d^2} = \frac{27.24 \times 10^6}{0.9 \times 120 \times 283^2} = 3.15 \text{ MPa}$$

$$m = \frac{f_y}{0.85 f_c'} = \frac{420}{0.85 * 24} = 20.6$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2.m.R_n}{420}} \right) = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 3.15}{420}} \right) = 0.00819$$

$$A_s = \rho . b . d = 0.00819 \times 120 \times 283 = 278.13 \text{ mm}^2$$

- Check for  $A_{s,min}$ ..

$$A_{s, \min} = 0.25 \frac{\sqrt{f'_c}}{f_y} b_w * d \geq \frac{1.4}{f_y} b_w * d$$

$$A_{s, \min} = 0.25 * \frac{\sqrt{24}}{420} 120 \times 283 = 99.03 \text{ mm}^2$$

$$A_{s, \min} = \frac{1.4}{420} * 120 \times 283 = 113.2 \text{ mm}^2 \dots \textbf{Control.}$$

- $A_{s, \text{required}} = 278.13 \text{ mm}^2 > A_{s, \min} = 113.2 \text{ mm}^2$  (OK)

Use 2Ø14, Top .with  $A_s=308 \text{ mm}^2 > A_{s, \text{required}} = 278.13 \text{ mm}^2$

#### Check for strain: ( $\epsilon_s \geq 0.005$ )

Tension = Compression

$$A_s * f_y = 0.85 * f'_c * b * a$$

$$308 * 420 = 0.85 * 24 * 120 * a$$

$$a = 52.84 \text{ mm}$$

$$x = \frac{a}{\beta_1} = \frac{52.84}{0.85} = 62.17 \text{ mm}$$

$$\epsilon_s = 0.003 * \left( \frac{d - x}{x} \right)$$

$$= 0.003 * \left( \frac{283 - 62.17}{62.17} \right) = 0.01 > 0.005 \therefore \phi = 0.9 \dots \text{OK.}$$

#### 4.7.5 Check shear strength:

$$W_a = 0.5$$

$$W_b = 0.5$$

Short direction or long...the same

$$A_{u_a} = 17.67 * 7.7 * 7.7 * 0.5 * 0.5 * \frac{0.52}{7.7} = 17.688 \text{ KN}$$

$$V_u = Au_a - W * 0.52 * d = 17.688 - 17.67 * 0.52 * 283 = 15.087 \text{ KN}$$

$$\begin{aligned} \phi * V_c &= 1.1 * \frac{0.75}{6} * \sqrt{f_c'} * bw * d = 1.1 * \frac{0.75}{6} * \sqrt{24} * 120 * 283 \\ &= 22.87 \text{ KN} \end{aligned}$$

Case 1

$$V_u < \frac{1}{2} * \phi * V_c$$

$$V_u = 15.87 > \frac{1}{2} * \phi * V_c = 11.435 \text{ KN} \dots \text{Not OK}$$

Case 2

$$\frac{1}{2} * \phi * V_c < V_u < \phi * V_c$$

$$\frac{1}{2} * \phi * V_c = 11.435 < V_u = 15.087 \text{ KN} < \phi * V_c = 22.87 \text{ KN} - \text{OK}$$

∴ Case (2) is satisfy minimum shear reinforcement ..

$$A_{V \min} = \frac{\sqrt{f_c'}}{16(f_y)} (bw)(S) \geq \frac{1}{3(f_y)} (bw)(S)$$

$$157 = \frac{\sqrt{24}}{16(420)} (120)(S)$$

$$S = 1794.6 \text{ mm.}$$

Use 2 Leg  $\phi 10$  for stirrups with  $A_v = 157 \text{ mm}^2$ .

$$S_{\max} \leq \frac{d}{2} = \frac{283}{2} = 141.5 \text{ mm.}$$

$$\leq 600 \text{ mm.}$$

Select 2 leg  $\phi 10 @ 12 \text{ cm}$ .

**4.8 Design of one-way solid slab:**

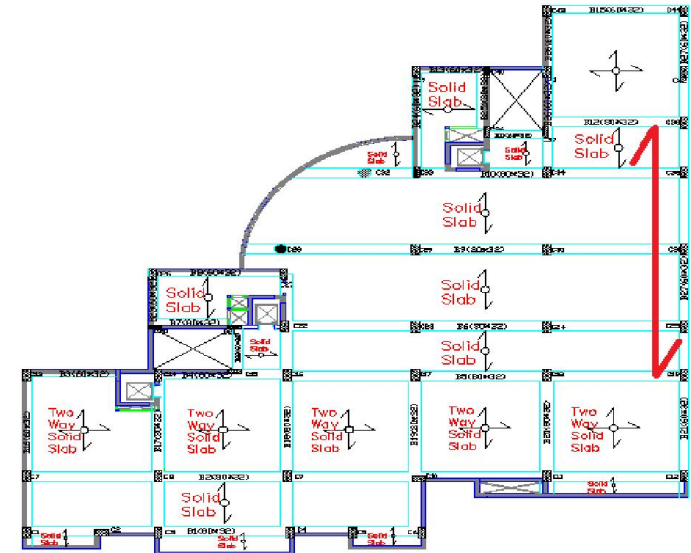


Figure 4.12 one way solid slab.

**4.8.1 Load calculations:**

Table (4.4) calculation loads for one way solid slab.

Material	$\gamma \times h \times 1$	Load (KN/m)
Tile	$0.03 \times 24.5 \times 1$	<b>0.735</b>
mortar	$0.03 \times 22 \times 1$	<b>0.66</b>
sand	$0.15 \times 17 \times 1$	<b>2.55</b>
plaster	$0.02 \times 22 \times 1$	<b>0.44</b>
Partition	$1.25 \times 1$	<b>1.25</b>
Self weight	$0.25 \times 24.5 \times 1$	<b>6.125</b>
$\Sigma$		<b>11.76</b>

Dead Load = 11.76 KN/m.

Live load =  $5 \times 1 = 5$  KN/m.

By using ATIR program use  $b = 100$  cm.

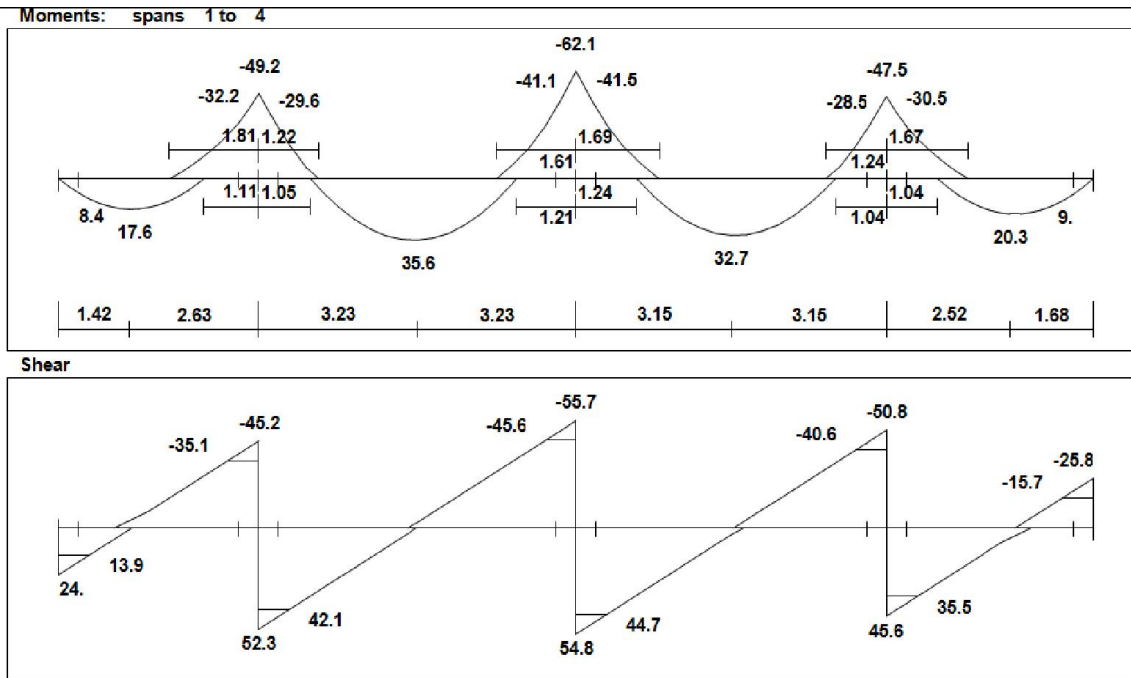


Figure (4.13) envelop moment and shear diagrams of solid slab.

#### 4.8.2 Check whether the thickness of the slab is adequate for shear:

$$d = 250 - 20 - (16/2) = 222 \text{ mm.}$$

$$V_{u,\max} = 45.6 \text{ KN.}$$

$$V_c = \frac{1}{6} \lambda \sqrt{f'_c} b_w d = \frac{1}{6} \sqrt{24} \times 1000 \times 222 \times 10^{-3} = 181.26 \frac{\text{KN}}{1\text{m strip}}$$

$$\phi V_c = 0.75 \times 181.26 = 135.9 \frac{\text{KN}}{1\text{m strip}}$$

$$V_{u,\max} < \phi V_c$$

No need to increase the slab thickness, its adequate enough.

#### 4.8.3 Design for positive moment:

For  $M_u = +17.6 \text{ KN.m}$

$$R_n = \frac{M_u}{\phi b d^2}$$

$$R_n = \frac{17.6 \times 10^6}{0.9 \times 1000 \times 222^2} = 0.397 \text{ Mpa}$$

$$m = \frac{f_y}{0.85 f'_c}$$

$$m = \frac{420}{0.85 \times 24} = 20.59$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2.m.R_n}{420}} \right)$$

$$\rho = \frac{1}{20.59} \left( 1 - \sqrt{1 - \frac{2 \times 20.59 \times 0.397}{420}} \right) = 0.00095$$

$$A_s = \rho.b.d = 0.00095 \times 1000 \times 222 = 212 \text{ mm}^2$$

$$A_{s,\min} = 0.0018 \times b \times h = 0.0018 \times 1000 \times 250 = 450 \text{ mm}^2 \dots \text{cont.}$$

$$n_{\phi 16} = \frac{450}{201} = \frac{3\phi 16}{m \text{ strip}}, \phi 16 @ 300.$$

Step (S) is the smallest of:

- $3 \times h = 3 \times 250 = 750 \text{ mm.}$
- $450 \text{ mm.}$
- $S = 380 \left( \frac{280}{\frac{2}{3} f_y} \right) - 2.5 C_c = 330 \text{ mm}$
- $S \leq 300 \left( \frac{280}{\frac{2}{3} f_y} \right) = 300 \text{ mm} \quad \text{cont.}$

$$S = 300 \text{ mm} \quad \text{Ok}$$

**For  $M_u = +35.6 \text{ KN.m}$**

$$R_n = \frac{M_u}{\phi b d^2}$$

$$R_n = \frac{35.6 \times 10^6}{0.9 \times 1000 \times 222^2} = 0.8 \text{ Mpa}$$

$$m = \frac{f_y}{0.85 f'_c}$$

$$m = \frac{420}{0.85 \times 24} = 20.59$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2.m.R_n}{420}} \right)$$

$$\rho = \frac{1}{20.59} \left( 1 - \sqrt{1 - \frac{2 \times 20.59 \times 0.8}{420}} \right) = 0.00195$$

$$A_s = \rho.b.d = 0.00195 \times 1000 \times 222 = 432.92 \text{ mm}^2$$

$$A_{s,\min} = 0.0018 \times b \times h = 0.0018 \times 1000 \times 250 = 450 \text{ mm}^2 \dots \text{cont.}$$

$$n_{\phi 16} = \frac{450}{201} = \frac{3\phi 16}{m \text{ strip}}, \phi 16 @ 300.$$

Step (S) is the smallest of:

- $3 \times h = 3 \times 250 = 750 \text{ mm.}$
- $450 \text{ mm.}$



$$- S = 380 \left( \frac{280}{\frac{2}{3}f_y} \right) - 2.5C_c = 330\text{mm}$$

$$S \leq 300 \left( \frac{280}{\frac{2}{3}f_y} \right) = 300\text{mm} \quad \text{cont.}$$

S=300mm

Ok

The other spans has a smaller values of moment , so let the reinforcement be as the previous spans:  $\phi 16@300$ .

#### 4.8.4 Design for negative moment:

**For  $M_u = -32.2 \text{ KN.m}$**

It will be smaller than the minimum  $A_s$  , so take  $\phi 16@300$ .

**For  $M_u = -41.5 \text{ KN.m}$**

$$R_n = \frac{M_u}{\phi b d^2}$$

$$R_n = \frac{41.5 \times 10^6}{0.9 \times 1000 \times 222^2} = 0.935 \text{ Mpa}$$

$$m = \frac{f_y}{0.85 f'_c}$$

$$m = \frac{420}{0.85 \times 24} = 20.59$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2 \cdot m \cdot R_n}{420}} \right)$$

$$\rho = \frac{1}{20.59} \left( 1 - \sqrt{1 - \frac{2 \times 20.59 \times 0.935}{420}} \right) = 0.00227$$

$$A_s = \rho \cdot b \cdot d = 0.00227 \times 1000 \times 222 = 506.1 \text{ mm}^2 \dots \text{cont.}$$

$$A_{s,\min} = 0.0018 \times b \times h = 0.0018 \times 1000 \times 250 = 450 \text{ mm}^2$$

$$n_{\phi 16} = \frac{506.1}{201} = \frac{3\phi 16}{m \text{ strip}}, \phi 16@300.$$

Step (S) is the smallest of:

- $3 \times h = 3 \times 250 = 750\text{mm}$ .
- $450\text{mm}$ .
- $S = 380 \left( \frac{280}{\frac{2}{3}f_y} \right) - 2.5C_c = 330\text{mm}$

$$S \leq 300 \left( \frac{280}{\frac{2}{3}f_y} \right) = 300mm \quad cont.$$

$$S=300mm$$

**For  $M_u = -30.5KN.m$**

It will be smaller than the minimum  $A_s$ , so take  $\phi 16@300$ .

#### 4.8.5 Temperature and shrinkage reinforcement:

$$A_{s,min} = 450mm^2$$

$$n_{\phi 12} = \frac{450}{113.1} = \frac{4\phi 12}{m \text{ strip}}, \phi 12@250mm.$$

Step (S) is the smallest of:

- $5 \times h = 5 \times 250 = 1250mm.$
- 450 mm.....cont.

$$S = 250mm < 450mm. \text{ ok.}$$

#### 4.9 Design of two way solid slab (R05)

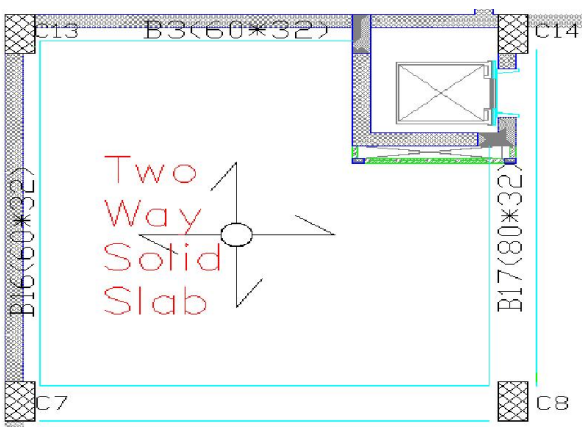


Figure (4.14) two way solid slab (R05).

##### 4.9.1 Load calculation:

For the two-way solid slabs, the total dead load to be used in the analysis and design is calculated as follows:

Table (4.5) calculation loads for two way solid slab.

Material	$\gamma \times h \times 1$	Load (KN/m)
Tile	<b>0.03×24.5×1</b>	<b>0.735</b>
mortar	<b>0.03×22×1</b>	<b>0.66</b>
sand	<b>0.15×17×1</b>	<b>2.55</b>
plaster	<b>0.02×22×1</b>	<b>0.44</b>
Partition	<b>1.25×1</b>	<b>1.25</b>
Self weight	<b>0.25×24.5×1</b>	<b>6.125</b>
$\Sigma$		<b>11.76</b>

Dead Load = 11.76 KN/m.

Live load =  $2.4 \times 1 = 2.4$  KN/m.

$$w_D = 1.2 * 11.76 = 14.1 \text{ KN/m}^2$$

$$LL = 5 \text{ KN/m}^2$$

$$w_L = 1.6 * 5 = 8 \text{ KN/m}^2$$

$$w = 14.1 + 8 = 22.1 \text{ KN/m}^2$$

### 4.9.2 Moments calculations:

$$m = l_a/l_b = 7.7/7.7 = 1 \text{ with case 4.}$$

$$M_a = C_a w l_a^2 b f \text{ and } M_b = C_b w l_b^2 b f$$

**-Negative moment**

$$C_{a,neg} = 0.05$$

$$C_{b,neg} = 0.05$$

$$M_{a,neg} = (0.05 * 22.1 * 7.7^2) = 65.5 \text{ KN.m}$$

$$M_{b,neg} = (0.05 * 22.1 * 7.7^2) = 65.5 \text{ KN.m}$$

**-Positive moment**

$$C_{aD,pos} = 0.027$$

$$C_{bD,pos} = 0.027$$

$$C_{aL,pos} = 0.032$$

$$C_{bL,pos} = 0.032$$

$$M_{a,pos,(dl+ll)} = (0.027 * 14.1 * 7.7^2 + 0.032 * 8 * 7.7^2) = 37.8 \text{ KN.m}$$

$$M_{b,pos,(dl+ll)} = (0.027 * 14.1 * 7.7^2 + 0.032 * 8 * 7.7^2) = 37.8 \text{ KN.m}$$

### Design of positive moment

- Short direction (  $M_u = 37.8 \text{ KN.m}$  )

$$b = 1000 \text{ mm}$$

Assume bar diameter  $\phi 20$  for main positive reinforcement.

$$d = h - cover - db/2 = 250 - 20 - 8 = 222 \text{ mm.}$$

$$R_n = \frac{M_u}{\phi b d^2} = \frac{37.8 \times 10^6}{0.9 \times 1000 \times 222^2} = 0.87 \text{ MPa}$$

$$m = \frac{f_y}{0.85 f_c'} = \frac{420}{0.85 \times 24} = 20.6$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2 \cdot m \cdot R_n}{420}} \right) = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 0.87}{420}} \right) = 0.0024$$

$$A_s = \rho \cdot b \cdot d = 0.0024 \times 1000 \times 222 = 532.8 \text{ mm}^2$$

$$A_{s, \min} = 0.0018 \times 1000 \times 250 = 450 \text{ mm}^2$$

- $A_{s, \text{required}} > A_{s, \min}$  (OK)

Use 3Ø16, with  $A_s = 602.88 \text{ mm}^2 > A_{s, \text{required}}$ .

#### Check for strain: ( $\epsilon_s \geq 0.005$ )

Tension = Compression

$$A_s \cdot f_y = 0.85 \cdot f_c' \cdot b \cdot a$$

$$602.88 \cdot 420 = 0.85 \cdot 24 \cdot 1000 \cdot a$$

$$a = 12.19 \text{ mm}$$

$$x = \frac{a}{\beta_1} = \frac{12.19}{0.85} = 14.346 \text{ mm}$$

$$\epsilon_s = 0.003 \cdot \left( \frac{d - x}{x} \right)$$

$$= 0.003 \cdot \left( \frac{222 - 14.346}{14.346} \right) = 0.043 > 0.005 \quad \therefore \phi = 0.9 \dots \text{OK.}$$

#### Design for Discontinuous edge

$$A_s = \frac{1}{3} A_{s, \text{pos}} = \frac{1}{3} \cdot 602.88 = 200.96 \text{ mm}^2 < A_{s, \min}$$

Provide  $A_{s, \min} = 450 \text{ mm}^2$

$$n = \frac{A_s}{A_{s\phi 14}} = \frac{450}{153.86} = 3$$

Use 3Ø 14 , Top .. with  $A_s = 461.58 \text{ mm}^2$

- Long direction (  $M_u = 37.8 \text{ KN.m}$  )

$$b = 1000 \text{ mm}$$

It will be the same as the previous direction :

Use 3Ø16, for bottom.

**Design for Discontinuous edge**

Use 3Ø 14 , Top

**Design of negative moment (  $M_u = 65.5 \text{ KN.m}$  )**

$$b = 1000 \text{ mm}$$

Assume bar diameter  $\phi 20$  for main positive reinforcement.

$$d = h - cover - \frac{d_b}{2} = 250 - 20 - \frac{20}{2} = 220 \text{ mm.}$$

$$R_n = \frac{M_u}{\phi b d^2} = \frac{65.5 \times 10^6}{0.9 \times 1000 \times 220^2} = 1.5 \text{ MPa}$$

$$m = \frac{f_y}{0.85 f_c'} = \frac{420}{0.85 * 24} = 20.6$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2 \cdot m \cdot R_n}{420}} \right) = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 1.5}{420}} \right) = 0.0037$$

$$A_s = \rho \cdot b \cdot d = 0.0037 \times 1000 \times 220 = 814 \text{ mm}^2 > A_{s, \min}$$

..

Use 3Ø20, with  $A_s = 942 \text{ mm}^2 > A_{s, \text{required}} = 814 \text{ mm}^2$

**Check for strain: ( $\epsilon_s \geq 0.005$ )**

Tension = Compression

$$A_s * f_y = 0.85 * f_c' * b * a$$

$$942 * 420 = 0.85 * 24 * 1000 * a$$

$$a = 19.4 \text{ mm}$$

$$x = \frac{a}{\beta_1} = \frac{19.4}{0.85} = 22.8 \text{ mm}$$

$$\varepsilon_s = 0.003 * \left( \frac{d - x}{x} \right)$$

$$= 0.003 * \left( \frac{220 - 22.8}{22.8} \right) = 0.026 > 0.005 \quad \therefore \phi = 0.9 \dots OK.$$



## 4.10 Design of stairs.

### 4.10.1 thickness :

**For Flight:**

$$L = 5.55 \text{ m.}$$

$$h_{\text{req}} = L / 20.$$

$$h_{\text{req}} = 5.55 / 20 = 0.2775 \text{ m} = 27.75 \text{ cm.}$$

take  $h=32 \text{ cm.}$

**For Landing:**

$$L = 3.7 \text{ m.}$$

$$h_{\text{req}} = L / 20.$$

$$h_{\text{req}} = 3.7 / 20 = 0.185 \text{ cm.}$$

Use  $h= 32 \text{ cm.}$

### 4.10.2 Load Calculations:

The stair slope by  $\theta = \tan^{-1} \left( \frac{166}{300} \right) = 28.96$

**For Flight :**

Dead Load for flight:

$$\text{Tiles} = 24.5 \left( \frac{0.166 + 0.35}{0.3} \right) * 0.03 * 1 = 1.26 \text{ KN/m}$$

$$\text{Mortar} = 22 \left( \frac{0.166 + 0.3}{0.3} \right) * 0.03 * 1 = 1.025 \text{ KN/m}$$

$$\text{stair stips} = \frac{24.5}{0.3} \left( \frac{0.166 * 0.30}{2} \right) * 1 = 2.03 \text{ KN/m}$$

$$\text{slab} = \left( \frac{24.5 * 0.32 * 1}{\cos 28.96} \right) = 8.96 \text{ KN/m}$$

$$\text{Plaster} = 22 \left( \frac{0.02 * 1}{\cos 28.96} \right) = 0.502 \text{ KN/m}$$

Total Dead Load = 13.777 KN/m.

Live Load =  $2.4 \times 1 = 2.4$  KN/m.

Total Load For Flight =  $1.2 \times 13.777 + 1.6 \times 2.4 = 20.37$  KN/m.

### **For Landing :**

Dead Load For Landing:

Tiles =  $24.5 \times 0.03 \times 1 = 0.735$  KN/m

Mortar =  $22 \times 0.03 \times 1 = 0.66$  KN/m

Slab =  $24.5 \times 0.32 \times 1 = 7.84$  KN/m

Plaster =  $22 * 0.02 * 1 = 0.44$  KN/m

Total dead load for landing = 9.675 KN/m.

Live Load =  $2.4 \times 1 = 2.4$  KN /m.

Total Dead Load For landing =  $1.2 \times 9.675 + 1.6 \times 2.4 = 14.49$  KN/m.

### 4.10.3 Design for flight:

By using ATIR program use  $b = 100 \text{ cm}$ .

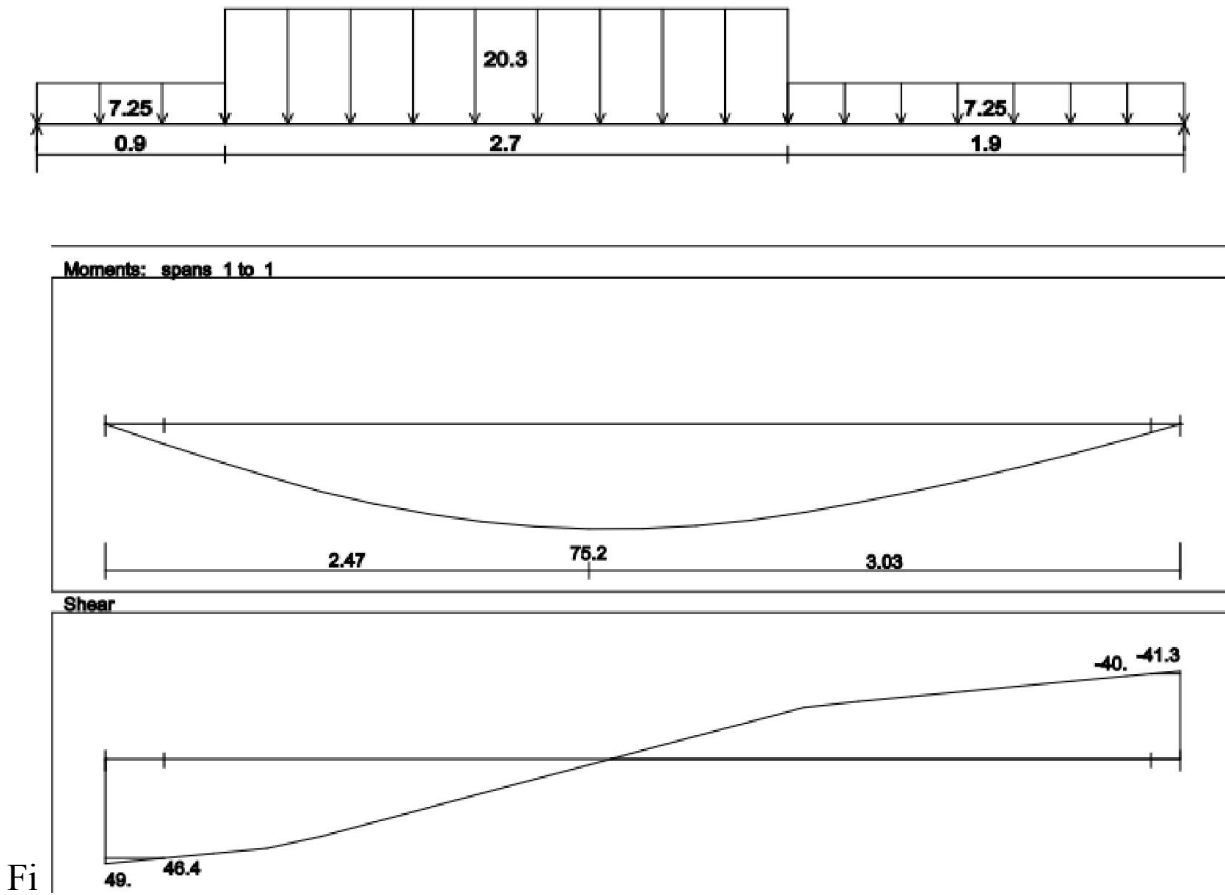


Figure (4.15) loads on flight with shear and moment .

### Design of Shear for flight:

- Assume  $\text{Ø } 14$  for main reinforcement:

So,  $d = 320 - 20 - (14/2) = 293 \text{ mm}$ .

- $V_u = 49 \text{ KN}$  .

- $\phi V_c = \frac{\phi \sqrt{f_c'} * b_w * d}{6}$
- $\phi V_c = \frac{0.75 * \sqrt{24} * 1000 * 293 * 10^{-3}}{6} = 179.4 \text{ KN}$
- $V_u = 46.4 \text{ KN} < \phi V_c = 179.4 \text{ KN} . .$

Depth of flight is ok. Since, there is no shear Reinforcement .

### Design of Bending Moment for Flight:

$M_u = 75.2 \text{ KN.m}$ .

$M_n \text{ req} = M_u / 0.9 = 75.2 / 0.9 = 83.56 \text{ KN.m} .$

Assume bar diameter 14 for main reinforcement.

$d = 320 - 20 - ( 14/2 ) = 293 \text{ mm}$ .

$$R_n = \frac{M_n}{b \cdot d^2}$$

$$R_n = \frac{83.56 * 10^6}{1000 * (293)^2} = 0.98 \text{ MPa} .$$

$$m = \frac{f_y}{0.85 * f_c'}$$

$$m = \frac{420}{0.85 * 24} = 20.588$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mR_n}{f_y}} \right) = \frac{1}{20.588} \left( 1 - \sqrt{1 - \frac{2 * 20.588 * 0.98}{420}} \right) = 0.0024$$

$A_s \text{ req} = 0.0024 * 1000 * 293 = 700.92 \text{ mm}^2 \dots \dots \dots \text{control}$

$A_{s \text{ min}} = 0.0018 * 1000 * 320 = 576 \text{ mm}^2$

$S = 153.9 / 700.92 = 0.219 \text{ m}$ .

Use 5  $\Phi$  14 /m OR use  $\Phi$ 14 @ 20 cm.

- **Check for spacing:**

$3h = 3 * 320 = 960 \text{ mm}$ .

$S = 450$ .

$$s = 380 \left( \frac{280}{0.667 * 420} \right) - 2.5 * 20 = 330 \text{ mm}$$

$$s = 300 \left( \frac{280}{0.667 \cdot 420} \right) = 300 \text{ mm} \dots \text{ control.}$$

Use 1Φ 14 @ 20 cm.

• **Secondary Reinforcement:**

For shrinkage & Temperature  $A_s$  provide equal :

$$A_{s \text{ min}} = 0.0018 \times B \times h = 0.0018 \times 1000 \times 320 = 576 \text{ mm}^2$$

Use 4 Φ14 /m or 1 Φ 14 @ 25 cm.

▲ **Check for strain:**

Tension = Compression

$$A_s \cdot f_y = 0.85 \cdot f_c \cdot b \cdot a$$

$$769.5 \cdot 420 = 0.85 \cdot 24 \cdot 1000 \cdot a$$

$$a = 15.84 \text{ mm}$$

$$c = \frac{a}{\beta_1} = \frac{15.84}{0.85} = 18.63 \text{ mm}$$

$$\epsilon_s = \frac{293 - 18.63}{18.63} \cdot 0.003$$

$$\epsilon_s = 0.044 > 0.005 \longrightarrow \text{ok}$$

**4.10.4 Design of landing:**

same thickness = 32 cm

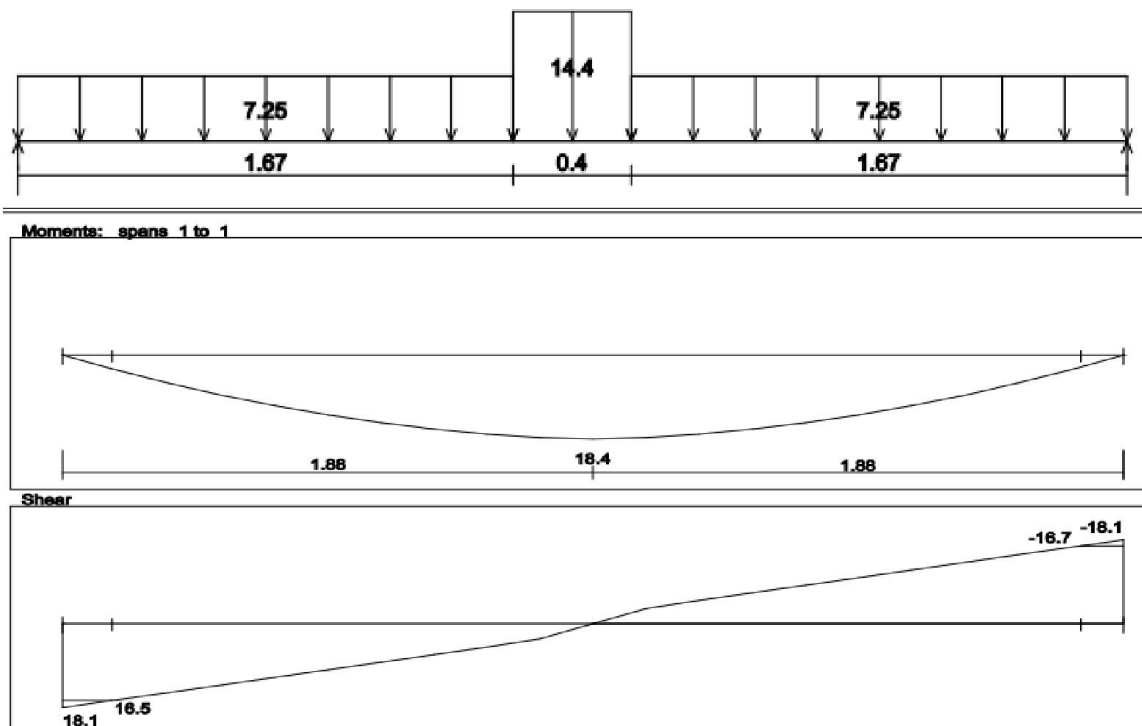


Figure (4.16) loads on landing with shear and moment.

**Design of Shear for Landing:**

- $V_u = 16.7 \text{ KN.}$
- $\phi V_c = \frac{\phi \sqrt{f_c'} * b_w * d}{6}$
- $\phi V_c = \frac{0.75 * \sqrt{24} * 1000 * 293 * 10^{-3}}{6} = 179.42 \text{ KN}$
- $V_u = 16.7 \text{ KN} < \phi V_c = 179.4 \text{ KN.}$

Depth of flight is ok. Since, there is no shear Reinforcement.

**4.10.5 Design of bending moment for landing:**

$M_u = 18.4 \text{ KN.m.}$

$M_n \text{ req} = 18.4 / 0.9 = 20.44 \text{ KN.m.}$

Assume diameter bar 14 for main reinforcement . because the bar in the landing will be placed on the top of the main reinforcement .

$d = 320 - 20 - 14 - (14/2) = 279 \text{ mm.}$

$$R_n = \frac{M_n}{b \cdot d^2}$$

$$R_n = \frac{20.44 * 10^6}{1000 * (279)^2} = 0.262 \text{ MPa .}$$

$$m = \frac{f_y}{0.85 * f_c'}$$

$$m = \frac{420}{0.85 * 24} = 20.588$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mR_n}{f_y}} \right) = \frac{1}{20.588} \left( 1 - \sqrt{1 - \frac{2 * 20.588 * 0.262}{420}} \right) = 0.00063$$

$A_s \text{ req} = 0.00063 * 1000 * 279 = 175.77 \text{ mm}^2.$

$A_s \text{ min} = 0.0018 * 1000 * 320 = 576 \text{ mm}^2 \dots \text{ control}$

$A_s < A_s \text{ min} ..$

Use 4  $\Phi 14$  /m or 1  $\Phi 14$  @ 25 cm with  $A_s = 615.6 \text{ mm}^2.$

- **Check for spacing:**

$$3h = 3 * 320 = 960 \text{ mm.}$$

$$S = 450$$

$$s = 380 \left( \frac{280}{0.667 * 420} \right) - 2.5 * 20 = 330 \text{ mm}$$

$$s = 300 \left( \frac{280}{0.667 * 420} \right) = 300 \text{ mm} \dots \text{ control .}$$

Use 1Φ 14 @ 25 cm.

- **Secondary Reinforcement :**

For shrinkage & Temperature As provide equal :

$$A_{s \text{ min}} = 0.0018 \times B \times h = 0.0018 \times 1000 \times 320 = 576 \text{ mm}^2$$

Use 4 Φ14 /m or 1 Φ 14 @ 25 cm.

- ▲ **Check for strain:**

Tension = Compression

$$A_s * f_y = 0.85 * f_c' * b * a$$

$$615.6 * 420 = 0.85 * 24 * 1000 * a$$

$$a = 12.67 \text{ mm}$$

$$c = \frac{a}{\beta_1} = \frac{12.67}{0.85} = 14.91 \text{ mm}$$

$$\epsilon_s = \left( \frac{259 - 14.91}{14.91} \right) * 0.003$$

$$\epsilon_s = 0.049 > 0.005 \longrightarrow \text{ok}$$

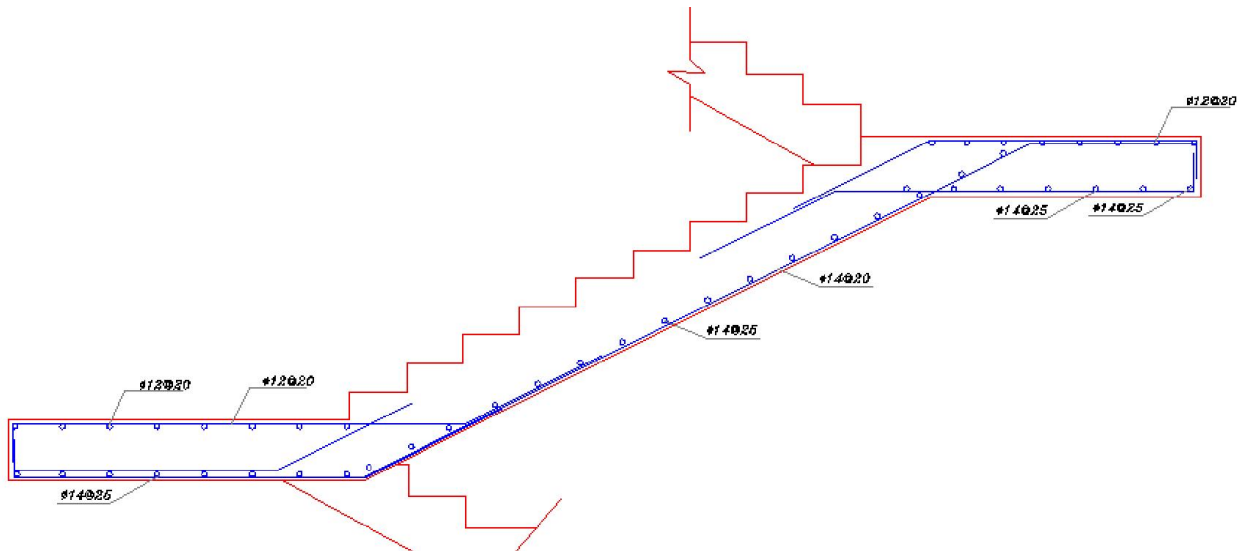


Figure (4.17) Reinforcement of stair.

#### 4.11 Design of Beam (B6) in the ground floor slab:

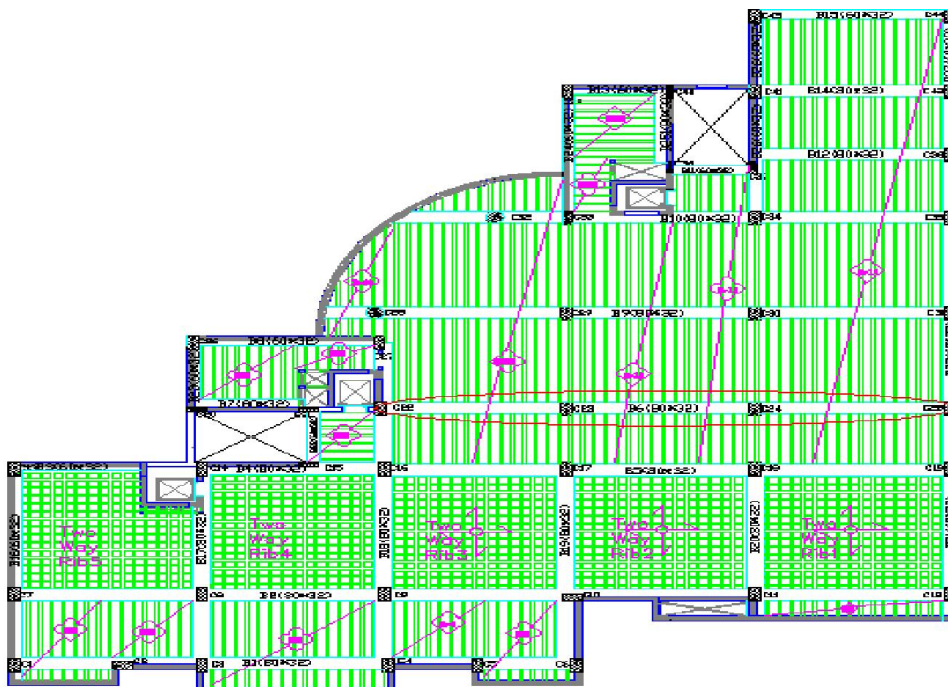


Figure (4.18) location of beam (B6).



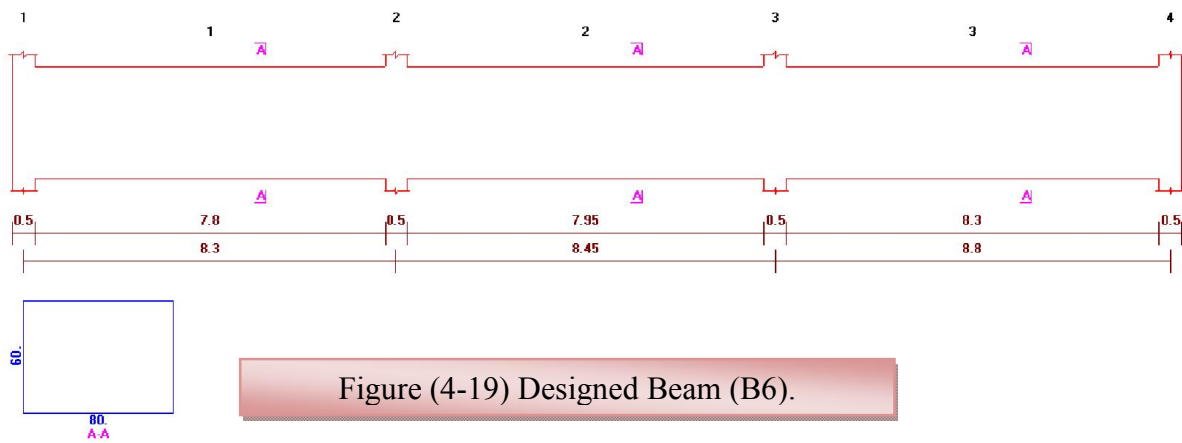


Figure (4-19) Designed Beam (B6).

### 4.11.1 Introduction

The envelope for both shear and moment diagrams drawn using ATIR program as shown below:

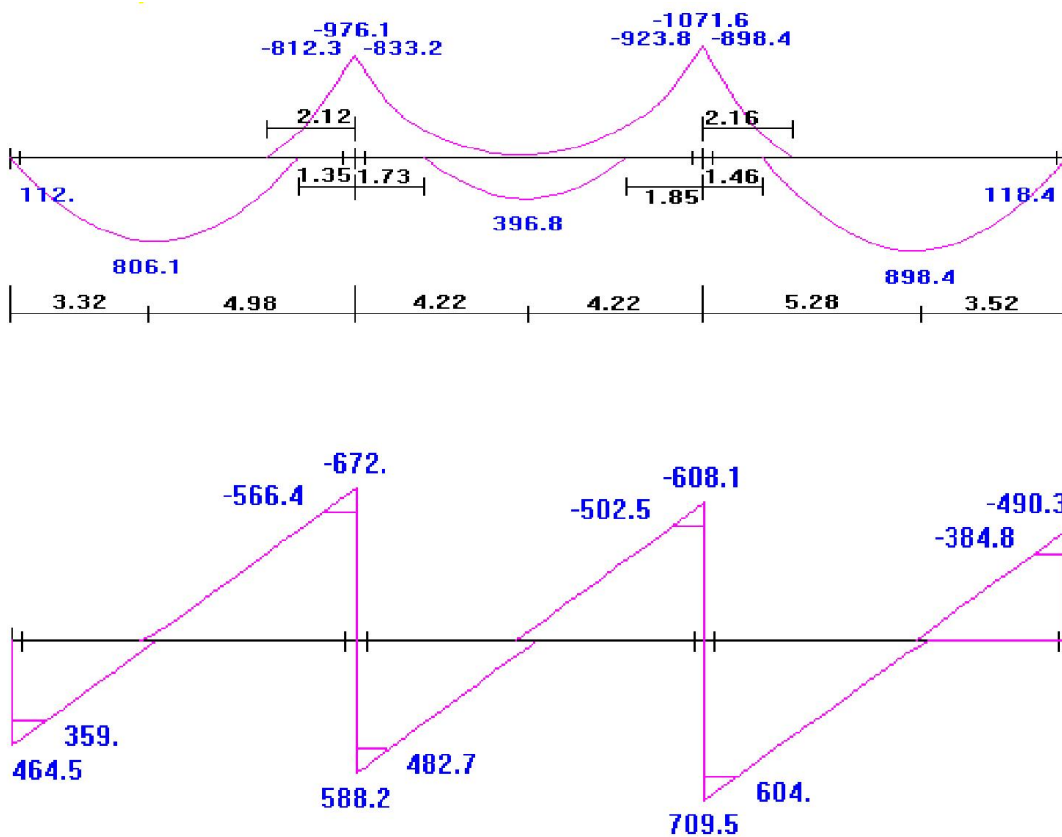


Figure (4-20) shear and moments diagrams for Beam ( B6).

$$d = 600 - 40 - 10 - \frac{25}{2}$$

$$d = 537.5 \text{ mm}$$

$$C_{MAX} = \frac{3}{7} d$$

$$C_{MAX} = 230.35 \text{ mm}$$

$$a = 0.85 * 230.35 = 195.79$$

$$f_c' \leq 28 \rightarrow \beta = 0.85$$

#### 4.11.2 Design of Positive moment of Beam (6):

Design of  $+MU_{MAX} = 89.84 \text{ kN.m}$

Check if the section can be designed as a singly reinforced section or must be as a doubly reinforced section

$$Mn_{MAX} = 0.85 \times f_c' \times b \times a \times (d - a/2)$$

$$Mn_{MAX} = 0.85 \times 24 \times 0.8 \times 0.196 \times (0.5375 - 0.196/2)$$

$$Mn_{MAX} = 1405.84 \text{ kN.m}$$

$$\Phi = 0.65 + (\epsilon_s - 0.002) \frac{250}{3}$$

$$\Phi = 0.65 + (0.004 - 0.002) \frac{250}{3} = 0.82$$

$$Mn_{MAX} = \frac{M_u}{\Phi}$$

$$\Phi Mn_{MAX} = 0.82 \times 1405.84 = 1152.78 \text{ kN.m} > MU$$

*Design the section as a singly reinforced section*

$$Rn = \frac{M_u/\Phi}{b \times d^2}$$

$$Rn = \frac{898.4 \times 10^{-3}/0.9}{0.8 \times (0.5375)^2} = 4.32 \text{ MPa}$$

$$\rho_{req} = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mRn}{f_y}} \right)$$

$$m = \frac{f_y}{0.85 \times f_c'}$$

$$m = \frac{420}{0.85 \times 24} = 20.6$$

$$\rho_{req} = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 4.32}{420}} \right) = 0.0117$$

$$A_{s_{req}} = \rho \times b_E \times d$$

$$A_{s_{req}} = 0.0117 \times 800 \times 537.5 = 5038 \text{ mm}^2$$

**Check for  $A_{s_{min}}$**

$$A_{s_{min}} = 0.25 \frac{\sqrt{f_c'} \times b_w \times d}{f_y}$$

$$A_{s_{min}} = 0.25 \frac{\sqrt{24} \times 800 \times 537.5}{420} = 1253.9 \text{ mm}^2$$

Not less than

$$A_{s_{min}} = \frac{1.4 \times 800 \times 537.5}{420} = 1433.3 \text{ mm}^2 \Rightarrow \text{Controls}$$

$$A_{s_{req}} = 5038 \text{ mm}^2 > A_{s_{min}} = 1433.3 \text{ mm}^2$$

$$\text{selectAs } 11\Phi 25 = 5399.6 \text{ mm}^2 > A_{s_{req}} = 5038 \text{ mm}^2$$

According to Atir Program the limitation of deflection is satisfied and so, no additional reinforcement is required.

**-Check of Strain**

Tension=Compression

T=C

$$f_y \times A_s = 0.85 \times f_c' \times b \times a$$

$$420 \times 5399.6 = 0.85 \times 24 \times 800 \times a$$

$$a = 138.9 \text{ mm}$$

$$c = \frac{a}{0.85} = 163.48 \text{ mm}$$

$$\frac{\epsilon_s}{d - c} = \frac{0.003}{c}$$

$$\epsilon_s = \frac{537.5 - 163.48}{163.48} \times 0.003$$

$$\epsilon_s = 0.0068 > 0.005$$

Design of + Mu = 396.8 kN.m

*select 5φ25 with  $A_s = 2454.36 \text{ mm}^2 > A_s = 2058.1 \text{ mm}^2$*

Design of + Mu = 145.5 kN.m

*select 10φ25 with  $A_s = 4908.7 \text{ mm}^2 > A_s = 4449 \text{ mm}^2$*

**4.11.3 Design of Negative moment of Beam (6):**

**Design of  $-MU_{MAX} = 9\ 238 \text{ KN.m}$**

Check if the section can be designed as a singly reinforced section or must be as a doubly reinforced section

$$Mn_{MAX} = 0.85 \times f_c' \times b \times a \times (d - a/2)$$

$$Mn_{MAX} = 0.85 \times 24 \times 0.8 \times 0.196 \times (0.5375 - 0.196/2)$$

$$Mn_{MAX} = 1405.83 \text{ kN.m}$$

$$\Phi = 0.65 + (\epsilon_s - 0.002) \frac{250}{3}$$

$$\Phi = 0.65 + (0.004 - 0.002) \frac{250}{3} = 0.82$$

$$Mn_{MAX} = \frac{M_u}{\Phi}$$

$$\Phi Mn_{MAX} = 0.82 \times 1405.83 = 1152.78 \text{ kN.m} > \mathbf{MU}$$

Design the section as a singly reinforced section:

$$Rn = \frac{M_u / \Phi}{b \times d^2}$$

$$Rn = \frac{923.8 \times 10^{-3} / 0.9}{0.8 \times (0.5375)^2} = 4.45 \text{ MPa}$$

$$\rho_{req} = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mRn}{f_y}} \right)$$

$$m = \frac{f_y}{0.85 \times f_c'}$$

$$m = \frac{420}{0.85 \times 24} = 20.6$$

$$\rho_{req} = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2 \times 20.6 \times 4.45}{420}} \right) = 0.012$$

$$As_{req} = \rho \times b_E \times d$$

$$As_{req} = 0.012 \times 800 \times 537.5 = 5203.9 \text{ mm}^2$$

**Check for  $As_{min}$**

$$As_{min} = 0.25 \frac{\sqrt{f_c'} \times b_w \times d}{f_y}$$

$$As_{min} = 0.25 \frac{\sqrt{24} \times 800 \times 537.5}{420} = 1253.9 \text{ mm}^2$$

Not less than

$$A_{s_{min}} = \frac{1.4 \times 800 \times 537.5}{420} = 1433.3 \text{ mm}^2 \Rightarrow \text{Controls}$$

$$A_{s_{req}} = 5203.9 \text{ mm}^2 > A_{s_{min}} = 1433.3 \text{ mm}^2$$

$$\text{select } 11\Phi 25 = 5399.6 \text{ mm}^2$$

According to Atir Program the limitation of deflection is satisfied and so, no additional reinforcement is required.

### **-Check of Strain**

Tension=Compression

$$T=C$$

$$f_y \times A_s = 0.85 \times f_c' \times b \times a$$

$$420 \times 5399.6 = 0.85 \times 24 \times 800 \times a$$

$$a = 138.9 \text{ mm}$$

$$c = \frac{a}{0.85} = 163.4 \text{ mm}$$

$$\frac{\epsilon_s}{d - c} = \frac{0.003}{c}$$

$$\epsilon_s = \frac{537.5 - 163.4}{163.4} \times 0.003$$

$$\epsilon_s = 0.0082 > 0.005$$

Design of - Mu = 833.2 kN.m

$$\text{select } 10\phi 25 \text{ with } A_s = 4908.7 \text{ mm}^2 > A_s = 4619.7 \text{ mm}^2$$

**4.11.4 Design of Shear of Beam (6):****4.11.4.1 Design of Shear of Beam(6) for the right Span :**

$$V_u_{\max} = 604 \text{ kN.}$$

$$\Phi V_c = \frac{\Phi}{6} \times \sqrt{f_c'} \times bw \times d$$

$$\Phi V_c = \frac{0.75}{6} \times \sqrt{24} \times 800 \times 537.5 = 263.32 \text{ kN}$$

$$\Phi V_{s_{\min}} = \Phi \frac{1}{3} \times bw \times d$$

$$\Phi V_{s_{\min}} = 0.75 \times \frac{1}{3} \times 800 \times 537.5 = 107.5 \text{ kN} \Rightarrow \Rightarrow \text{Control}$$

$$\Phi V_{s_{\min}} = \Phi \frac{1}{16} \sqrt{f_c'} \times bw \times d$$

$$\Phi V_{s_{\min}} = \frac{\Phi}{16} \sqrt{24} \times 800 \times 537.5 = 98.74 \text{ kN}$$

$$\Phi V_c + \Phi V_{s_{\min}} < V_u < \Phi V_c + \frac{\Phi}{3} \sqrt{f_c'} bw \times d$$

$$263.32 + 107.5 < 604 < 263.32 + \frac{0.75}{3} \sqrt{24} \times 800 \times 537.5$$

$$370.82 < 604 < 626.9$$

*Category No. 4 Is Satisfied*

$$V_s = \frac{V_u}{\Phi} - V_c$$

$$V_s = \frac{604}{0.75} - 351.09 = 454.24 \text{ kN}$$

$$\left(\frac{A_v}{s}\right)_{\min} = \frac{bw}{3 \times f_y} = \frac{800}{3 \times 420} = 0.63 \times 10^{-3} \Rightarrow \Rightarrow \text{Control}$$

$$\geq \frac{bw \times \sqrt{f_c'}}{16 \times f_y} = \frac{800 \times \sqrt{24}}{16 \times 420} = 10 \times 10^{-3}$$

$$\frac{A_v}{s} = \frac{V_s}{d \times f_y} = \frac{0.454}{420 \times 0,5375} = 0.002$$

$$\frac{A_v}{s} = \frac{4 \times 79 \times 10^{-6}}{s} = 0.63 \times 10^{-3}$$

$$s = 50 \text{ cm}$$

$$s \leq \frac{d}{2} = \frac{537.5}{2} = 27 \text{ cm}$$

$s \leq 60 \text{ cm}$ , select  $s = 20 \text{ cm} \Rightarrow$  Use  $\Phi 10 - 4$  Leg – Stirrup at 20cm.

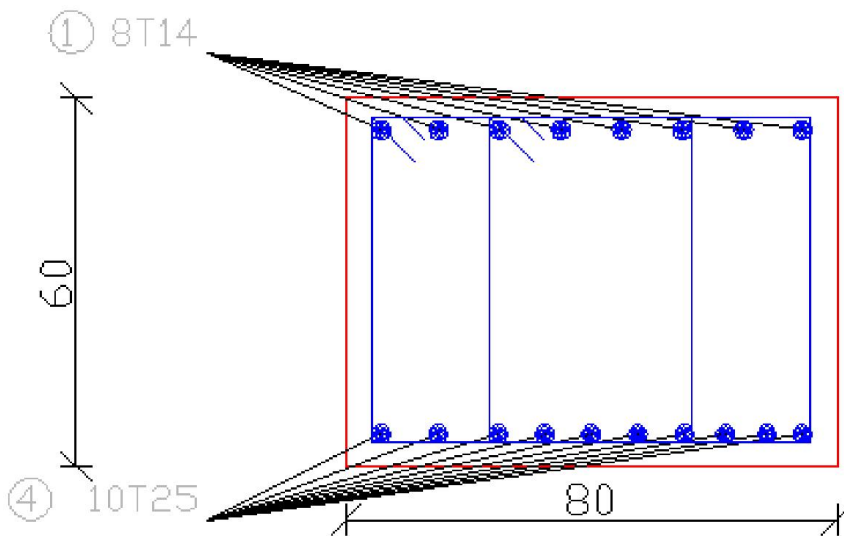


Figure (4.21) Reinforcement of beam (B6).

#### 4.12 Design of Short Column (C3): C3 in the fourth basement of the building.

##### 4.12.1 Load Calculation:

$$P_u = 6880 \text{ KN .}$$

$$\phi P_n = P_u$$



**4.12.2 Check Slenderness Effect:**

In both direction:

$$\frac{Klu}{r} \leq 34 - 12 \times \frac{M1}{M2} \quad \text{ACI(10.12.2)}$$

$L_u$  : Actual Unsupported Length .

$$r: \text{Radius Of Gyration} = 0.3 \times h = \sqrt{\frac{I}{A}}$$

$K = 1.0$ , According to **ACI 318-08 (10.12.2)** the effective length factor ( $K$ ) shall be permitted to be taken as 1.0

$$L_u = 3.58 \text{ m.}$$

$$\frac{M_1}{M_2} = 1.0$$

$$r = 0.3 \times 0.6 = 0.18$$

$$\frac{1.0 \times 3.58}{0.18} \leq 34 - 12 \times 1.0$$

$19.8 < 22$  , short column in both directions .

**4.12.3 Select the longitudinal bars:**

$$\phi P_{n,max} = 0.65 \times 0.8 [0.85 \times 24(600000 - A_s) + 420A_s]$$

$$A_{s,req} = 2479 \text{ mm}^2 \quad , \text{ try } \phi 20 \text{ with } A_s = 314 \text{ mm}^2$$

Use 8  $\phi 20$  with  $A_s = 2512 \text{ mm}^2 > A_{s,req}$  ok

$$\rho = \frac{A_s}{A_g} = \frac{2512}{600000} = 0.0042 < 0.01(\text{min})$$

assume  $\rho = 0.015 > \text{min}$

$$\rho = \frac{A_s}{A_g} = \frac{A_s}{600000}$$

$$A_s = 9000 \text{ mm}^2.$$

Use 16  $\phi 25$  with  $A_s > A_{s,req}$  ok

**4.12.4 Check for code requirements:**

$$- \text{ clear spacing between longitudinal bars} = \frac{1000 - 40 \times 2 - 10 \times 2 - 5 \times 25}{4} = 193.7 \text{ mm}$$

$$193.7 \text{ mm} > 40 \text{ mm}$$

$$> 1.5 d_b = 30 \text{ mm} . \quad \text{ok}$$

- gross reinforcement ratio = 0.015 ,  $0.01 < 0.015 < 0.08$  ok

- NO of bars = 16 > 4 bars for square columns.

- min ties diameter :  $\phi 8$  for  $\phi 32$  longitudinal bars and smaller.

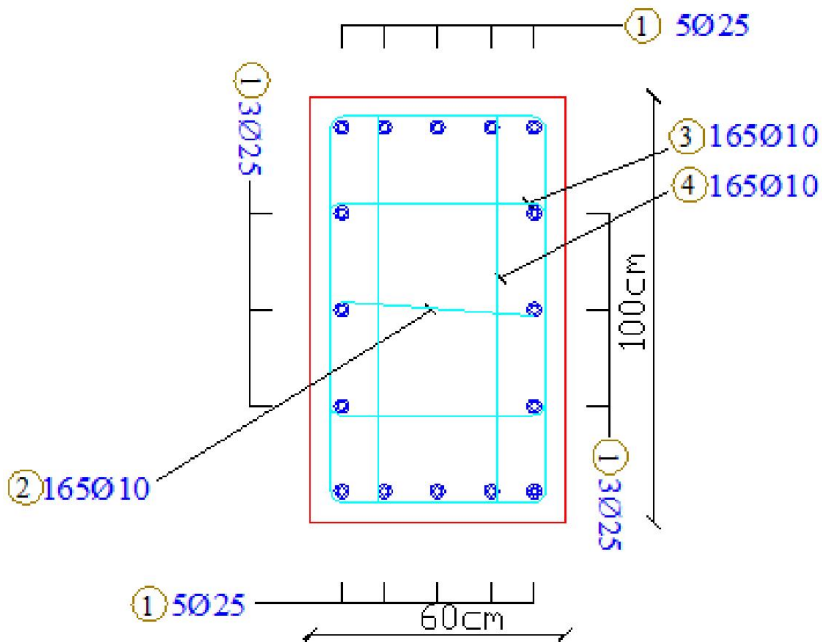


Figure (4.23) Reinforcement of column ( C3).

### 4.13 Design of long column (C 20) :

#### 4.13.1 Check the slenderness effect:

(non sway system)

$$\frac{kL_u}{r} < 34 - 12 \left( \frac{M_1}{M_2} \right) \quad ACI(10.12.2)$$

$$r = \sqrt{\frac{I}{A}} \approx 0.3h = 0.3 \times 0.4 = 0.12$$

$$L_u = 3.9 - 0.32 = 3.58\text{m}$$

$$\frac{kL_u}{r} = \frac{1 \times 3.58}{0.12} = 29.8 > 34 - 12 = 22$$

So the column is long at y direction .

$$r = \sqrt{\frac{I}{A}} \approx 0.3h = 0.3 \times 0.6 = 0.18$$

$$L_u = 3.9 - 0.32 = 3.58 \text{ m}$$

$$\frac{kL_u}{r} = \frac{1 \times 3.58}{0.18} = 19.88 < 34 - 12 = 22$$

So the column is short at x direction .

#### 4.13.2 Calculate $e_{\min}$ , $M_{\min}$ :

$$e_{\min} = 15 + 0.03h = 15 + 0.03 \times 400 = 27 \text{ mm.}$$

$$M_{\min} = P_u \times e_{\min} = 1056 \times 0.027 = 29 \text{ KN.m}$$

$$E_c = 4700 \sqrt{f'_c} = 4700 \sqrt{24} = 23025.2 \text{ Mpa.}$$

$$I_g = \frac{b \cdot h^3}{12} = 3.2 \times 10^9 \text{ mm}^4.$$

$$\beta_{\text{dns}} = \frac{D_u}{P_u} = \frac{840}{1056} = 0.79 < 1.$$

$$E.I = \frac{0.4 E_c I_g}{1 + \beta_{\text{dns}}} = \frac{0.4 \times 23025.2 \times 32}{1.79} = 164647.47 \text{ KN.m}^2$$

#### 4.13.3 Determine of Euler buckling load:

$$P_c = \frac{\pi^2 EI}{(K L_u)^2} = \frac{\pi^2 \times 164647.47}{(3.58)^2} = 126664.1 \text{ KN}$$

#### 4.13.4 Calculate the moment magnifier factor:

$$C_m = 0.6 + 0.4 \left( \frac{M_1}{M_2} \right) = 1$$

$$\delta_{\text{ns}} = \frac{C_m}{1 - \frac{P_u}{0.75 P_c}} = \frac{1}{1 - \frac{1056}{0.75 \times 126664.1}} = 1.1 > 1$$

The magnified (e) and (M):

$$e = \delta_{\text{ns}} e_{\min} = 1.1 \times 27 = 29.7 \approx 30 \text{ mm}$$

$$M = \delta_{\text{ns}} M_{\min} = 1.1 \times 29 = 32 \text{ KN.m}$$

From the interaction diagram constructed in **PCA \_ COLUMN program**:

$$\rho = 0.012 > 0.01 \text{ (min)}$$

#### 4.13.5 Select the longitudinal bars:

$$A_s = \rho \times A_g = 0.012 \times (600 \times 400) = 2880 \text{ mm}^2$$

$$n_{\phi 20} = \frac{2880}{314} = 12 \phi 20$$

Use 12  $\phi 20$

### 4.13.6 Design the stirrups:

The spacing of ties shall not exceed the smallest of:

- $16 \times d_b = 16 \times 20 = 320 \text{ mm}$  cont.
- $48 \times d_s = 48 \times 8 = 384 \text{ mm}$
- Least diminution of the column = 400 mm

Use  $\phi 8 @ 300 \text{ mm}$ .

### 4.13.7 Check for code requirements:

- clear spacing between longitudinal bars =  $\frac{600 - 40 \times 2 - 10 \times 2 - 4 \times 20}{3} = 140 \text{ mm}$   
 $140 \text{ mm} > 40 \text{ mm}$   
 $> 1.5 d_b = 30 \text{ mm}$  . ok
- gross reinforcement ratio = 0.012 ,  $0.01 < 0.012 < 0.08$  ok
- NO of bars = 8 > 4 bars for square columns.
- min ties diameter :  $\phi 8$  for  $\phi 32$  longitudinal bars and smaller.

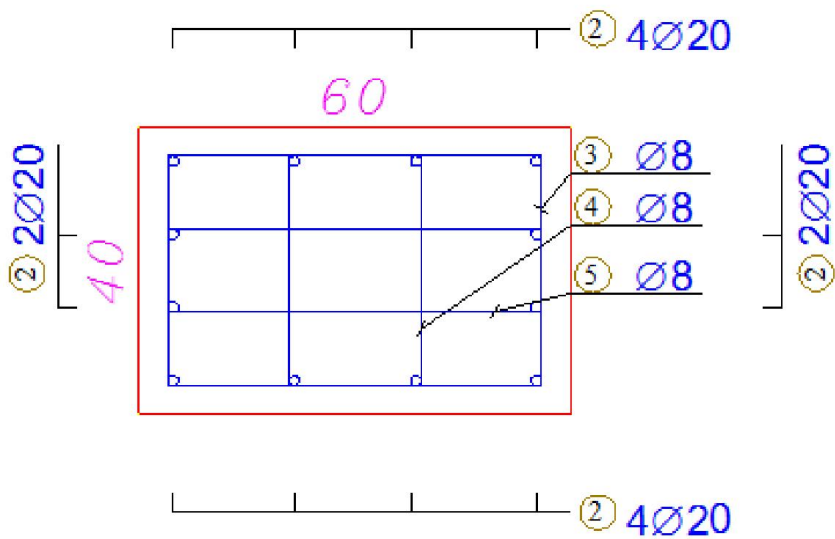


Figure (4.23) Reinforcement of column (C20)

**4.14 Shear wall (SW13) design:**

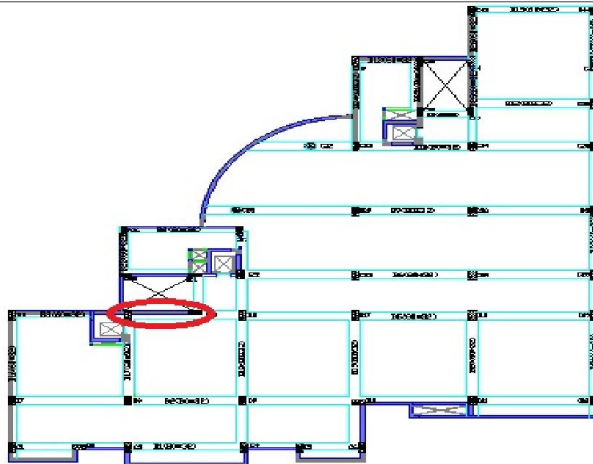


Figure (4.24) location of shear wall (SW13).

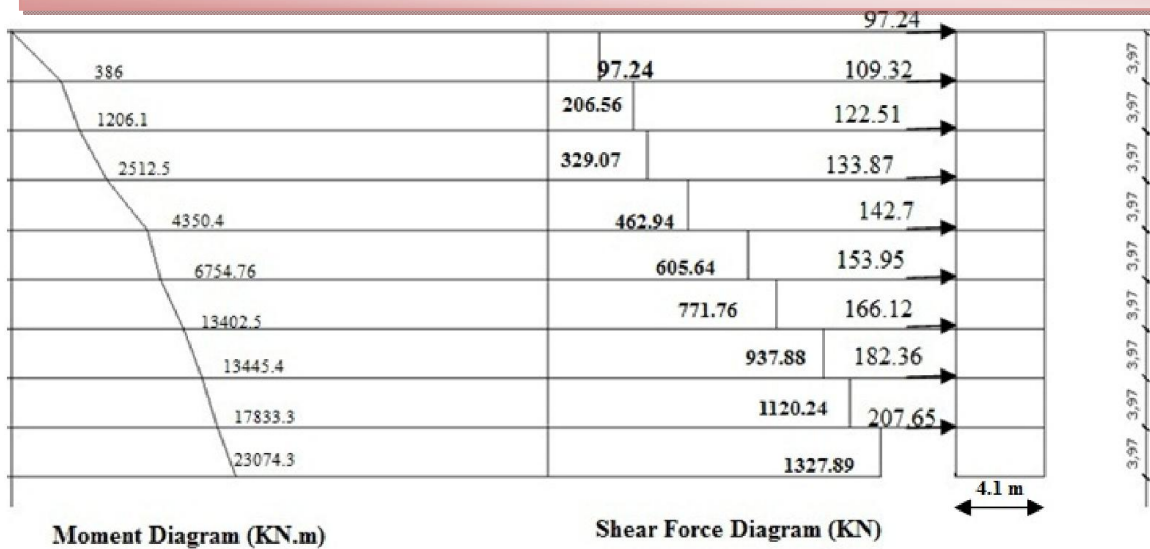


Figure (4.25) shear and moment for the shear wall (SW13).

Shear wall thickness,  $h = 30$  cm.  
 Story height,  $h_w = 3.97$  m

**4.14.1 Check max shear strength permitted:**

$$\phi V_{n,max} = 0.75 \times 0.83 \times \sqrt{f'_c} \times h \times d$$

let that  $d = 0.8 L_w = 0.8 \times 4.1 = 3.28$  m

$$\phi V_{n,max} = 0.75 \times 0.83 \times \sqrt{24} \times 300 \times 3.28 = 3000.8 \text{ KN} > V_u = 1327.89 \text{ KN}$$

ok

**4.14.2 Calculate shear strength provided by concrete:**

Critical section for concrete is the smallest of:

- $\frac{L_w}{2} = \frac{4.1}{2} = 2.05 \text{ m}$  *cont.*
- $\frac{\sum h_w}{2} = \frac{4 \times 3.97}{2} = 7.94 \text{ m}$
- Story height = 3.97 m.

$V_c$  is the smallest of :

- $V_c = \frac{1}{6} \sqrt{f'_c} h d = \frac{1}{6} \sqrt{24} \times 300 \times 3.28 = 803.43 \text{ KN}$  *, cont.*
- $V_c = 0.27 \sqrt{f'_c} h d + \frac{N_u \cdot d}{4l_w} = 0.27 \sqrt{24} \times 300 \times 3.28 + 0.0 = 1301.56 \text{ KN}$
- $V_c = \left[ 0.05 \lambda \sqrt{f'_c} + \frac{L_w (0.1 \lambda \sqrt{f'_c} + 0.2 \frac{N_u}{hl_w})}{\frac{M_u}{V_u} - \frac{L_w}{2}} \right] h d$

$M_u$  at critical section =  $17833.3 + 207.65 \times (3.97 - 2.05) = 18231.988 \text{ KN.m}$

$$\frac{18231.988}{1327.89} - \frac{4.1}{2} = 11.68 > 0.0 \text{ ok.}$$

$$V_c = \left[ 0.05 \sqrt{24} + \frac{4.1(0.1 \sqrt{24} + 0.0)}{11.68} \right] 300 \times 3.28 = 410.25 \text{ KN} \quad , \text{ cont.}$$

**4.14.3 Determine required horizontal reinforcement:**

$$V_u = 1327.89 \text{ KN.}$$

$$0.5 \phi V_c = 0.5 \times 0.75 \times 410.25 = 153.84 \text{ KN.}$$

$V_u > 0.5 \phi V_c$  need reinforcement.

$$V_s = V_n - V_c = \frac{V_u}{\phi} - V_c = \frac{1327.89}{0.75} - 410.25 = 1360.27 \text{ KN.}$$

$$\rho = \frac{A_s}{s \cdot h} \quad , \quad \frac{A_s}{s} = \frac{A_s}{f_y \cdot d} = \frac{1360 \times 10^3}{420 \times 3280} = 0.987 \frac{\text{mm}^2}{\text{mm}}$$

$$\rho = \frac{0.987}{200} = 0.00493 > 0.0025$$

by using  $\phi 12$

$$\rho = \frac{2 \times 113}{s \times 200} = 0.00493 \longrightarrow s = 229.2 \text{ mm.}$$

max. spacing is the smallest of:

- $\frac{L_w}{5} = \frac{4.1}{5} = 0.82m$
- $3h = 0.9m.$
- 450mm .... cont.

For horizontal reinforcement use  $\phi 12@200mm.$

#### 4.14.4 Determine required vertical reinforcement:

$$\frac{\sum h_w}{L_w} = \frac{9 \times 3.97}{4.1} = 8.71 m.$$

$$\rho_{v,\min} > 0.0025 + 0.5 \left( 2.5 - \frac{\sum h_w}{L_w} \right) (\rho_t - 0.0025) \geq 0.0025.$$

take  $\rho_v = 0.0025.$

max spacing is the least of,

- $\frac{L_w}{3} = \frac{4.1}{3} = 1.366 m$
- $3h = 0.9m.$
- 450mm cont.

Use  $\phi 10@300mm.$

#### 4.14.5 Design for flexure (uniformly distributed flexure reinforcement):

Check moment strength based on required vertical reinforcement for shear,  
The uniformly distributed vertical reinforcement  $\phi 10@300mm.$

$$A_{st} = \frac{4100}{300} \times 2 \times 78.5 = 2145.66 \text{ mm}^2$$

$$\omega = \left( \frac{A_{st}}{L_w h} \right) \frac{f_y}{f'_c} = \left( \frac{2145.66}{4100 \times 200} \right) \frac{420}{24} = 0.046$$

$$\alpha = \frac{P_u}{L_w f'_c h} = 0.0$$

$$\frac{c}{L_w} = \frac{\omega + \alpha}{2\omega + 0.85\beta_1} = \frac{0.046 + 0.0}{2 \times 0.046 + 0.85 \times 0.85} = 0.056$$

$$\phi M_n = \phi \left[ 0.5 A_{st} f_y L_w \left( 1 + \frac{P_u}{A_s f_y} \right) \left( 1 - \frac{c}{L_w} \right) \right]$$

$$=0.9 [0.5 \times 2145.66 \times 420 \times 4100(1 - 0.056)] \times 10^{-6} =1569.56 \text{ KN.m}$$

$\phi M_n < M_u$ .

the uniformly distributed vertical reinforcement  $\phi 10@300$ , is not adequate for flexure therefore the amount of vertical reinforcement must be increased.  
Try  $\phi 16@150$ .

$$A_{st} = \frac{4100}{150} \times 2 \times 201 = 10988 \text{ mm}^2$$

$$\omega = \left( \frac{10988}{4100 \times 150} \right) \frac{420}{24} = 0.3126$$

$$\frac{c}{L_w} = \frac{0.3126}{2 \times 0.3126 + 0.85 \times 0.85} = 0.232$$

$$\phi M_n = 0.9 [0.5 \times 10988 \times 420 \times 4100(1 - 0.232)] \times 10^{-6} = 6539.63 \text{ KN.m}$$

$> M_u$

Use  $\phi 16@150$  for vertical reinforcement.

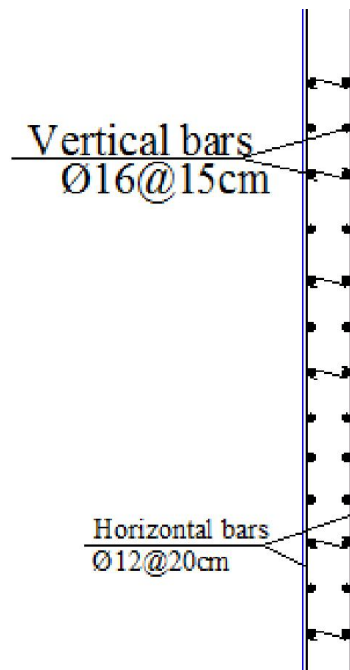


Figure (4.26) Reinforcement of the shear wall (SW13).



**4.15 Design of Basement wall:**

▲ Loads on basement wall :

$q_1 = \text{Earth pressure soil}$

$$q_1 = \gamma * h * k_0$$

$$K_0 = 1 - \sin 30 = 0.5$$

$$q_1 = 18 * 3.97 * 0.5 = 35.73 \text{ KN/m}^2$$

$$\text{factored load ( } q_u \text{ )} = 1.6 * q_1 = 1.6 * 35.73 = 57.2$$

$h_{\text{ wall }} = 30 \text{ cm}$

▲ Design of shear force :

From Attir  $V_u = 75.9 \text{ KN}$

$$d = 300 - 20 - 16/2 = 272 \text{ mm}$$

$$\Phi * V_c = 0.75 * \frac{\sqrt{f_c'}}{6} b_w * d = 0.75 * \frac{\sqrt{24}}{6} * 272 * 1000 = 166.56 \text{ KN} > V_u$$

(  $h = 30$  is enough )

▲ **Design of the Vertical reinforcement** :

• In tension side:

Max  $M_u$  from Attir = 122.3 KN.m

$$R_n = \frac{M_n}{b * d^2}$$

$$R_n = \frac{162.3 * 10^6 / 0.9}{1000 * (272)^2} = 1.84 \text{ MPa}$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mR_n}{f_y}} \right)$$

$$\rho = \frac{1}{20.6} \left( 1 - \sqrt{1 - \frac{2(20.6)(1.84)}{420}} \right) = 0.0046$$

$$A_s \text{ req} = \rho * b * d = 0.0046 * 100 * 27.2 = 12.512 \text{ cm}^2/\text{m}.$$

$$A_s \text{ min} = 0.0012 * b * h = 0.0012 * 100 * 30 = 3.6 \text{ cm}^2/\text{m}$$

$A_s \text{ req} > A_s \text{ min}$

select  $\Phi 16 @ 15 \text{ cm}$   $A_s \text{ provided} = 13.4 \text{ cm}^2 / \text{m}$

- In compression side :

$$A_s \text{ min} = 0.0012 * b * h = 0.0012 * 100 * 30 = 3.6 \text{ cm}^2/\text{m}$$

select  $\Phi 12 @ 20 \text{ cm}$   $A_s \text{ provided} = 5.65 \text{ cm}^2 / \text{m}$

**Design of the Horizontal reinforcement :**

For One layer :

$$A_s \text{ min} = 0.001 * b * h = 0.001 * 100 * 30 = 3 \text{ cm}^2/\text{m}$$

select  $\Phi 12 @ 20 \text{ cm}$   $A_s \text{ provided} = 5.65 \text{ cm}^2 / \text{m}$

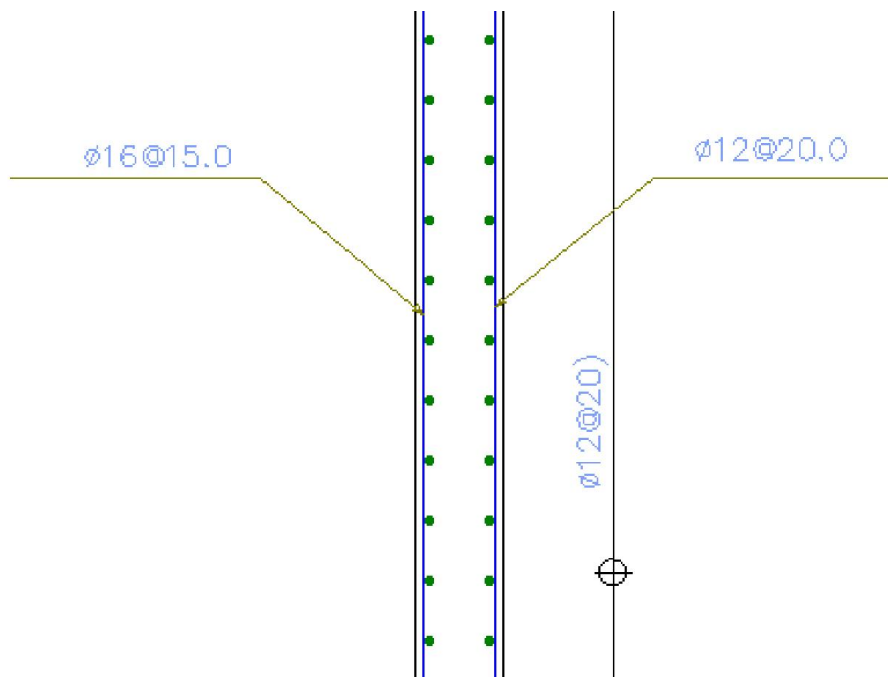


Figure (4.26) Reinforcement of the basement wall.

### 4.16 Design of Isolated Footing (under column 13):

$P_D = 1100$  KN (service).

$P_L = 409$  KN (service).

$P_U = 1.2 \times 1100 + 1.6 \times 409 = 1974.4$  KN ( factored).

Column Dimensions  $D = 80 \times 50$  cm.

Allowable bearing capacity  $q_{all} = 450$  KN/m<sup>2</sup>.

#### 4.16.1 Area of Footing:

Soil Density =  $18$  KN/ m<sup>3</sup>

live load =  $5$  KN/ m<sup>2</sup>.

assume  $h = 60$  cm.

$q_{all-net} = 450 - 5 - (0.6 \times 25) - (0.6 \times 18) = 419.2$  KN/m<sup>2</sup>

Area  $A = \frac{PD + PL}{q_{all-net}} = \frac{1974.4}{419.2} = 4.7$

Use  $L = 2$  m,  $B = 2.4$  m,  $A = 4.8$  m<sup>2</sup>

#### 4.16.2 Depth of footing:

Assume  $h = 60$  cm.

- Check one-way shear:

$$q_{ult} = \frac{P_u}{Area} = \frac{1974.4}{4.8} = 411.33 \text{ KN/ m}^2.$$

$$d = 600 - 75 - 20 - 9 = 496 \text{ mm}$$

$$\Phi V_c = \Phi \frac{1}{6} \sqrt{f'_c} b_w d = \frac{0.75}{6} * \sqrt{24} * 2.4 * 0.496 * 1000 = 729 \text{ KN}$$

$$Vu = q_{ult} \times \left( \frac{B-a}{2} - d \right) \times L$$

$$Vud = 411.33 \times \left( \frac{2.4-0.5}{2} - 0.505 \right) \times 2 = 366.1 \text{ KN}$$

$$\phi V_c = 729 \text{ KN} > V_{ud} = 366.1 \rightarrow \rightarrow \rightarrow \rightarrow ok$$

• **Check two-way shear:**

$$\frac{d}{2} = \frac{496}{2} = 248 \text{ mm.}$$

$$V_u = q_u (\text{outer area} - \text{inner area}) = 411.33 \times (4.8 - 1.3) = 1439.6 \text{ KN}$$

According to ACI ,  $V_c$  shall be the smallest of :

$$V_c = \frac{1}{6} \left( 1 + \frac{2}{\beta_c} \right) \sqrt{f'_c} b_o d = 0.5 \sqrt{f'_c} b_o d$$

$$V_c = \frac{1}{12} \left( \frac{\alpha_s}{b_o/d} + 2 \right) \sqrt{f'_c} b_o d = 0.585 \sqrt{f'_c} b_o d$$

$$V_c = \frac{1}{3} \sqrt{f'_c} b_o d \dots\dots \text{Control}$$

Where:

$$\beta_c = a / b = 80 / 50 = 1.6$$

$$b_o = 4584 \text{ mm.}$$

$$\alpha_s = 40 \quad \text{for interior column.}$$

$$\phi V_c = 0.75 \times 0.33 \sqrt{24} \times 4584 \times 496 \times 1000 = 27568 \text{ KN}$$

$$\phi V_c = 2756.8 \text{ KN} > V_u = 1439.6 \text{ KN}$$

SO  $h = 60 \text{ cm}$  Is OK.

**4.16.3 Design of flexural reinforcement:**

$$\begin{aligned} M_u &= \left( q_{ult} \times W \times \left( \frac{L}{2} - \frac{a}{2} \right) \right) \times 0.5 \left( \frac{L}{2} - \frac{a}{2} \right) \\ &= \left( 411.33 \times 2.4 \times \left( \frac{2.4}{2} - \frac{0.5}{2} \right) \right) \times 0.5 \left( \frac{2.4}{2} - \frac{0.5}{2} \right) = 445.5 \text{ KN.m} \end{aligned}$$

$$M_n = 445.5 / 0.9 = 494.96 \text{ KN.m.}$$

$$R_n = \frac{M_n}{b * d^2}$$

$$R_n = \frac{494.9 * 10^{-3}}{2.4 * (0.496)^2} = 0.83 \text{ Mpa}$$

$$m = \frac{f_y}{0.85 * f_c'} = \frac{420}{0.85 * 24} = 20.59$$

$$\rho = \frac{1}{m} \left( 1 - \sqrt{1 - \frac{2mR_n}{f_y}} \right)$$

$$\rho = \frac{1}{20.59} \left( 1 - \sqrt{1 - \frac{2(20.59)(0.83)}{420}} \right) = 0.002$$

$$A_{req} = \rho * b * d = 0.002 * 2400 * 496 = 2380.8 \text{ mm}^2$$

$$A_{s \text{ min}} = 0.0018 * 2400 * 600 = 2592 \text{ mm}^2 \dots \text{ control}$$

So, Use 10  $\Phi$  18 with  $A_s = 2543.4 \text{ mm}^2 > A_{s \text{ req}} = 2380.8 \text{ mm}^2 \dots$  in both directions .

#### 4.16.4 Development length of flexural reinforcement:

Ld for  $\Phi$  18:

$$L_d = \frac{9}{10} * \frac{f_y}{\sqrt{f_c'}} * \frac{\alpha * \beta * \gamma * \lambda}{\left( \frac{k_{tr} + c}{db} \right)} * db = \frac{9}{10} * \frac{420}{\sqrt{24}} * \frac{1 * 1 * 0.8 * 1}{2.5} * 18 = 444.5 \text{ mm}$$

$$\text{Available length} = ((2400 - 800) \setminus 2) - 75 = 725 \text{ mm}$$

$$725 \text{ mm} > 444.5 \text{ mm} \dots \dots \dots \text{ok}$$

#### 4.16.5 Development length of column reinforcement:

Ld for  $\Phi$  22 :

$$L_d = \frac{f_y}{4\sqrt{f_c'}} db = \frac{420}{4\sqrt{24}} * 18 = 286.7 \text{ mm} \dots \dots \text{cont.}$$

$$L_d = 0.043 * db * f_y = 0.043 * 18 * 420 = 245.3 \text{ mm}$$

$$\text{Available embedment} = 700 - 75 - (2 * 18) = 589 \text{ mm} > 286.7 \text{ mm}$$

∴ OK.

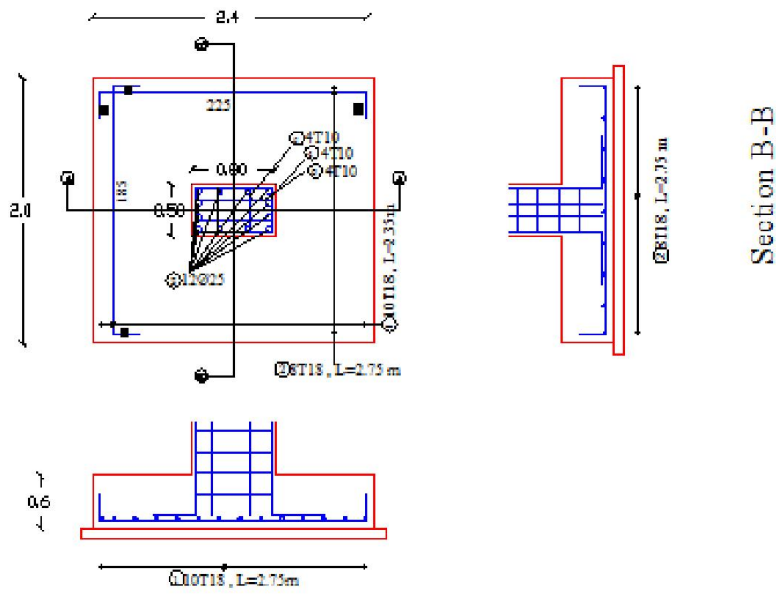


Figure (4.27) Reinforcement of isolated footing under column (C13).